### Some Results from Aircraft Microphysical Measurements during the March 2000 Cloud IOP

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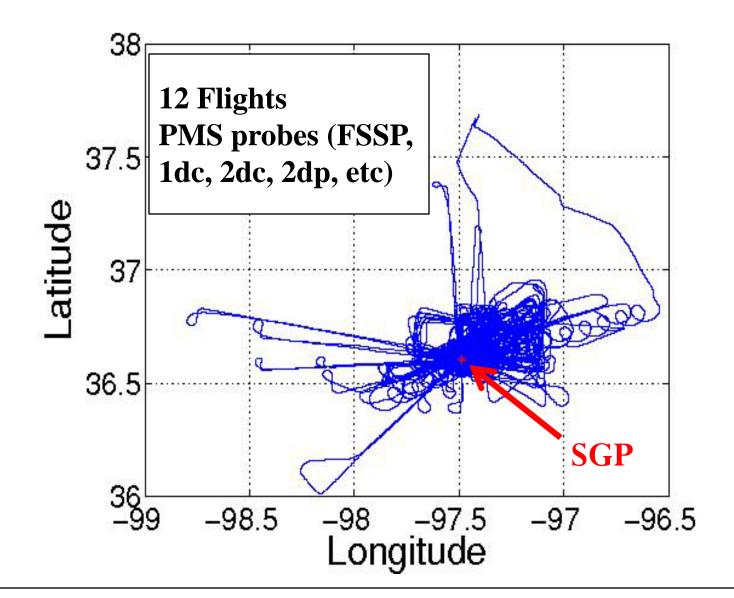
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Thanks to Prof. Michael Poellot, University of North Dakota, for help with the data

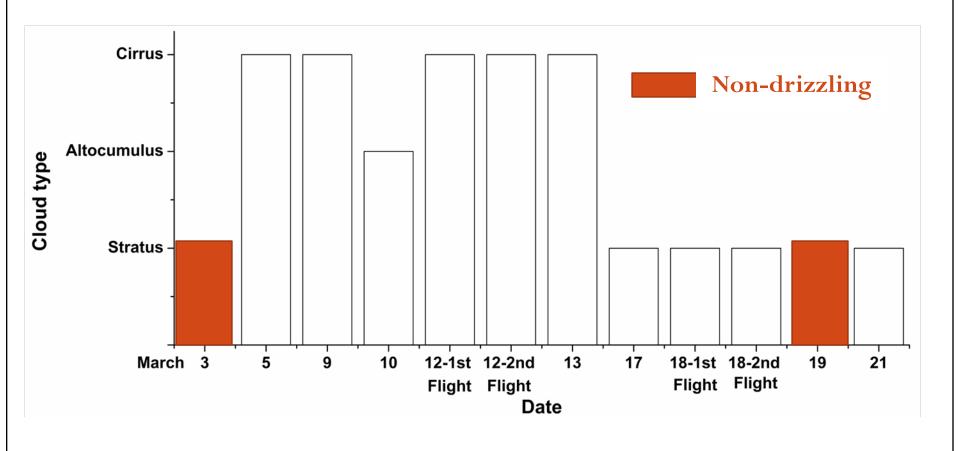
# **Objectives**

- Survey and examine aircraft measurements collected during March 2000 Cloud IOP for FASTER warm-up investigation
- Examine the relationships between key cloud microphysical properties critical for Z-L relation:
  Z = αL<sup>γ</sup>
- Dissect physical mechanisms responsible for these relationships
- Explore ways to improve retrieval of microphysics

# **Summary of flights (1)**



# **Summary of flights (2)**



## **Theoretical Analysis (1)**

Z can be expressed as

$$Z = 64 \int r^6 n(r) dr = 64Nr_6^6$$
$$Z = \frac{36}{\rho^2 \pi^2} \frac{\beta_6^6}{N} L^2$$
$$Z = \frac{3 \times 64}{4\pi\rho} \beta_6^6 r_\nu^3 L$$

where  $\rho$ , N, r<sub>v</sub> are water density, number concentration, and volume-mean radius, respectively, and  $\beta_6$  the ratio of the 6-th mean radius r<sub>6</sub> to r<sub>v</sub>:

$$\beta_6 = \frac{r_6}{r_v}$$

# **Theoretical Analysis (2)**

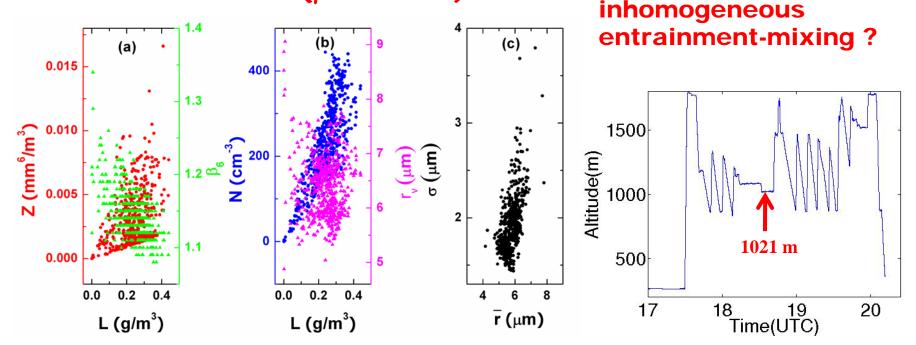
- For adiabatic clouds with constant N and  $\beta_6$  (Atlas 1954):  $Z \propto \frac{\beta_6^6}{N} L^2 = BL^2$
- For special inhomogeneous mixing with constant r<sub>v</sub> and β<sub>6</sub> (Paluch et al. 1996):

$$Z \propto \beta_6^6 r_v^3 L = AL$$

• The relationships of  $r_{v}$ ,  $\beta_{6}$ , and N to L determine the specific Z-L relationship.

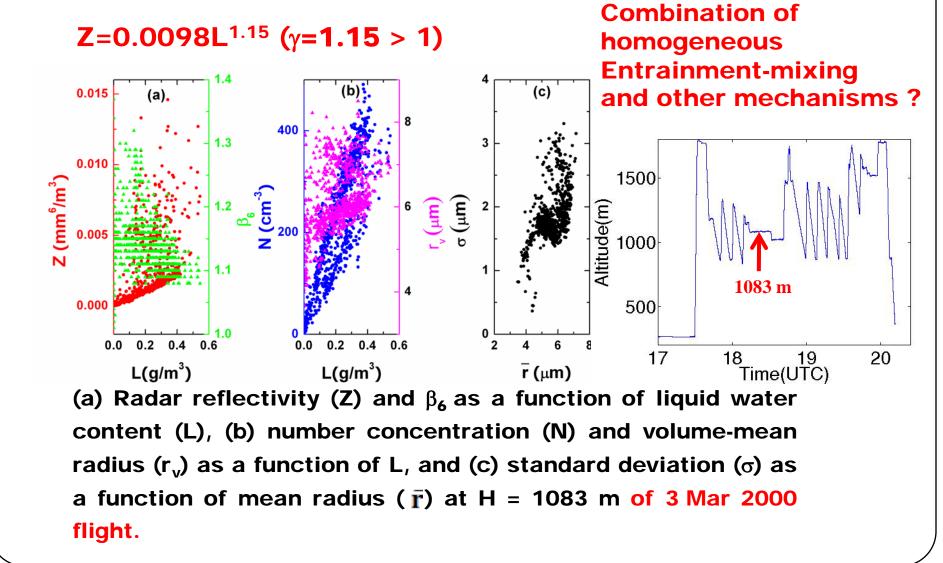
## Example One: Height – 1021 m

Z=0.0075L<sup>0.78</sup> (γ=0.78 < 1)



(a) Radar reflectivity (Z) and  $\beta_6$  as a function of liquid water content (L), (b) number concentration (N) and volume-mean radius ( $r_v$ ) as a function of L, and (c) standard deviation ( $\sigma$ ) as a function of mean radius ( $\bar{r}$ ) at H = 1021 m of 3 Mar 2000 flight.

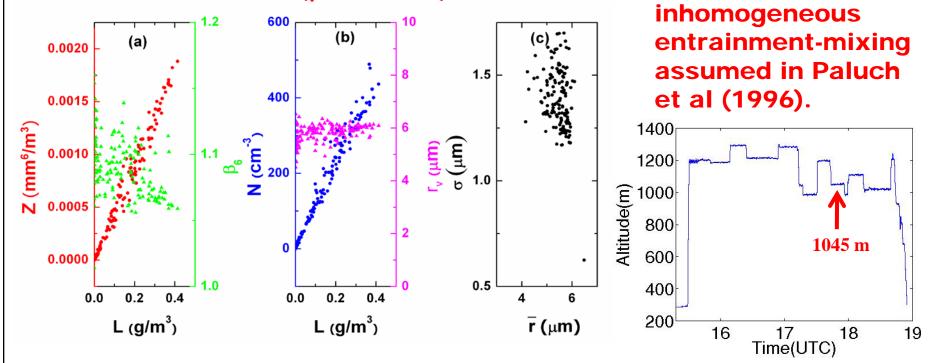
## Example Two: Height – 1083 m



## **Example Three: Height – 1045 m**

close to the special-

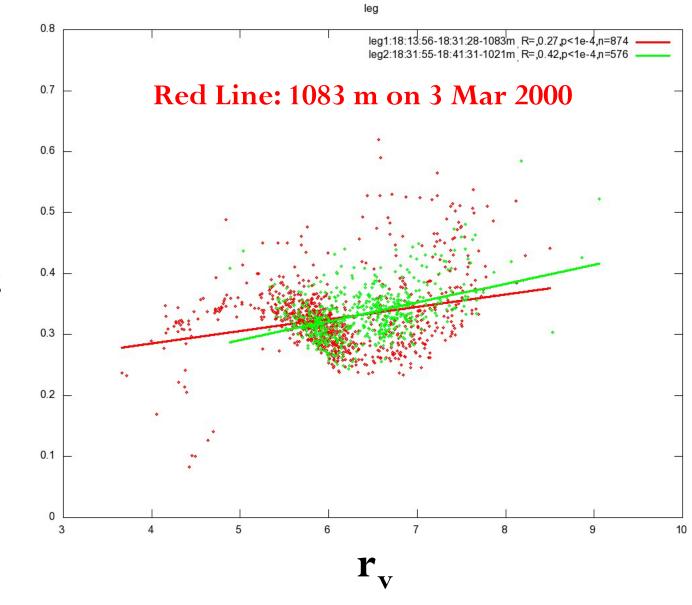
 $Z=0.0046L^{1.02}$  ( $\gamma = 1.02 \sim 1$ )



(a) Radar reflectivity (Z) and  $\beta_6$  as a function of liquid water content (L), (b) number concentration (N) and volume-mean radius ( $r_v$ ) as a function of L, and (c) standard deviation ( $\sigma$ ) as a function of mean radius ( $\bar{\mathbf{r}}$ ) at H = 1045 m of 19 Mar 2000 flight.

## **Summary**

- Z-L relationship depends on the combined dependences of r<sub>v</sub>, β<sub>6</sub>, and N on L, which in turn depends on the specific physical processes shaping the cloud, e.g., entrainment-mixing.
- Implications for radar retrievals?



## Inhomogeneous Entrainment

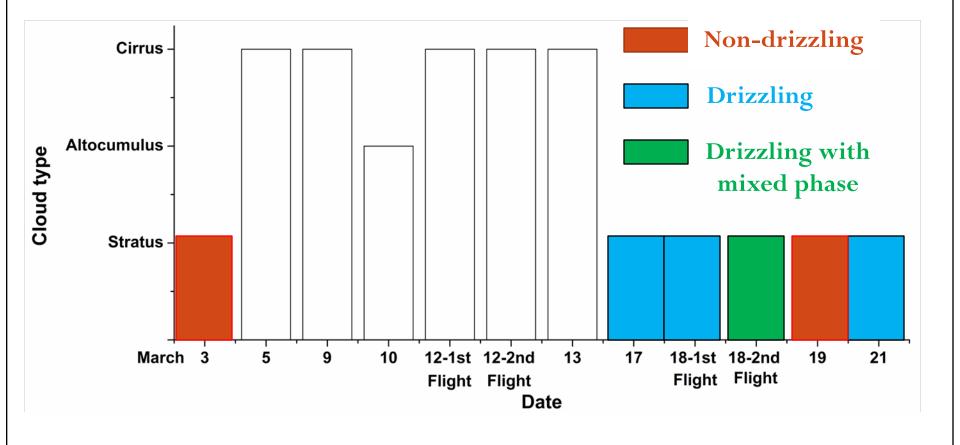
 Entrainment of dry air from aloft and the subsequent mixing evaporates cloud droplets, decreasing N and L; at the same time entrainment and mixing also lead to continued growth of some favored droplets increasing  $r_v$  and  $\epsilon$  (Daum et al., 2010).

# **Homogeneous Entrainment**

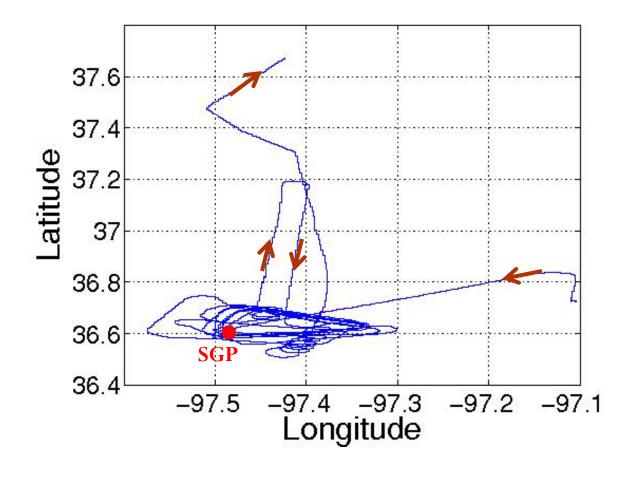
• The clear and cloudy air mix homogeneously, then evaporation occurs simultaneously from all droplets until saturation is achieved uniformly in the mixed volume (Warner, 1973; Mason and Jonas, 1974).

## **Future Work**

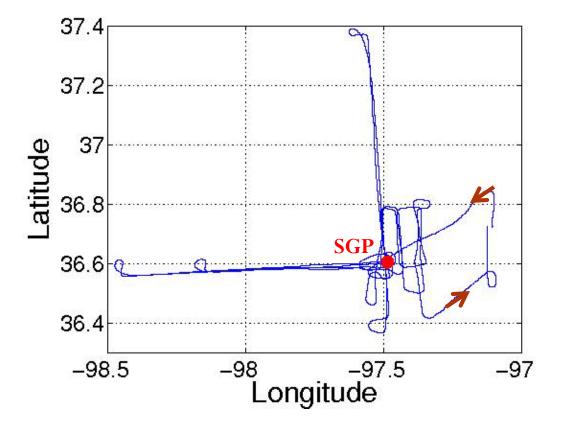
#### • Focusing on Drizzling flights



### Case Studies --- 3 March 2000

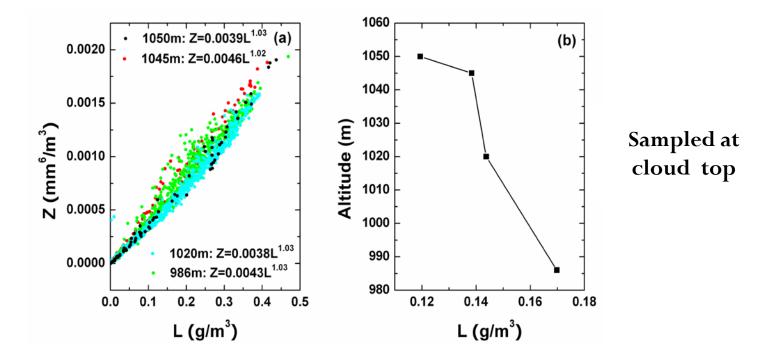


### **Case Studies---**Case Two: 19 March 2000



## Case Studies----Case Two: 19 March 2000

• The cloud was at dissipation stage, gradually becoming thin with fluctuating decrease of cloud top (Dong et al., 2002).



(a) Radar reflectivity (Z) as a function of liquid water content (L) and (b) Vertical profile of L of four legs in Case 19 Mar 2000.