

The workings of a radar *spectrum* simulator and its use to evaluate LES (part 1)

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Outline

- **What is a radar Doppler spectrum?**
- **What do we need to model it?**
- **How do we model it?**
- **Applications**
- **Examples**

Max

Jasmine

What does a cloud radar actually measure?

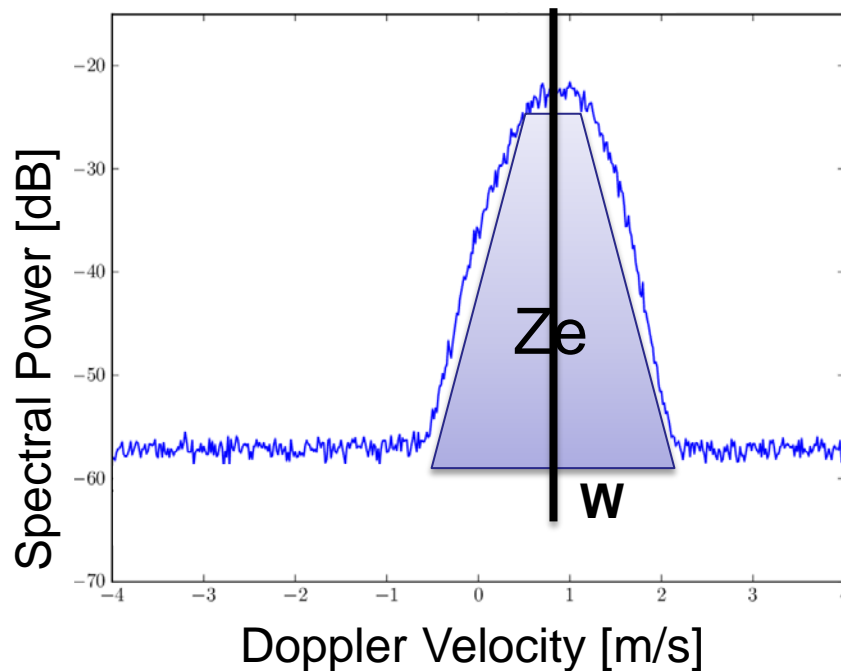
- **Reflectivity:** How much energy is scattered back
- **Doppler velocity:** Movement of particles

**Radar
Doppler
Spectrum**



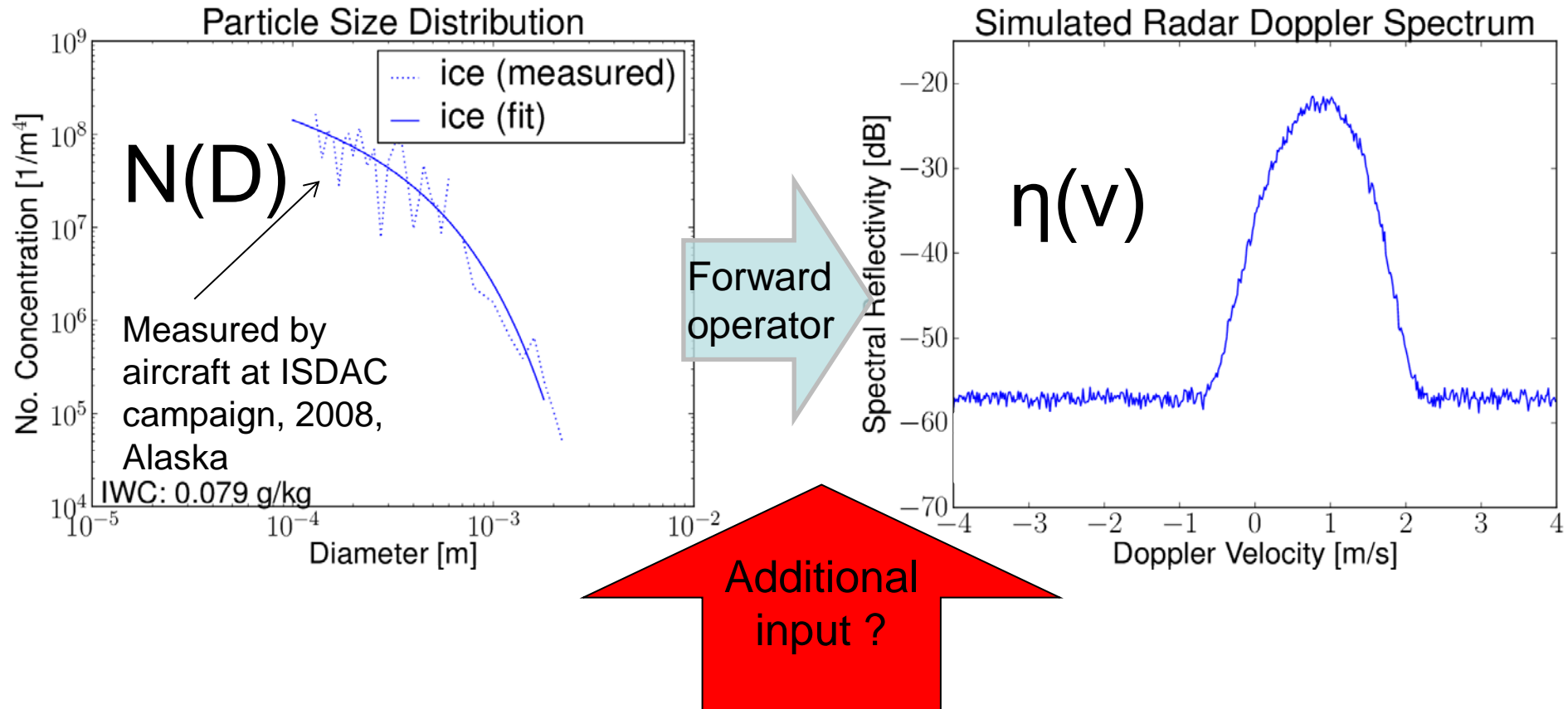
What does a cloud radar actually measure?

Radar Doppler Spectrum (looking zenith)



- Reflectivity Z_e
- Doppler Velocity W
- What about the rest?
 - Higher moments: Spectral Width, Skewness, Kurtosis
 - Wavlet analysis
 - Exploit the full spectrum

What do we need for modelling?

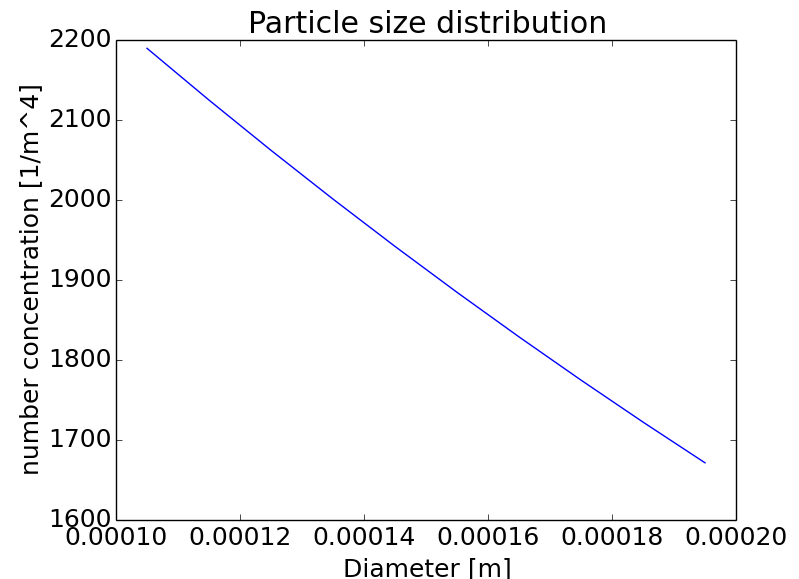


General conditions

- **Vertical and temporal resolution of LES model better than radar**
 - **Cloud radar vertical: ~30m**
 - **Cloud radar temporal: ~1-10s**

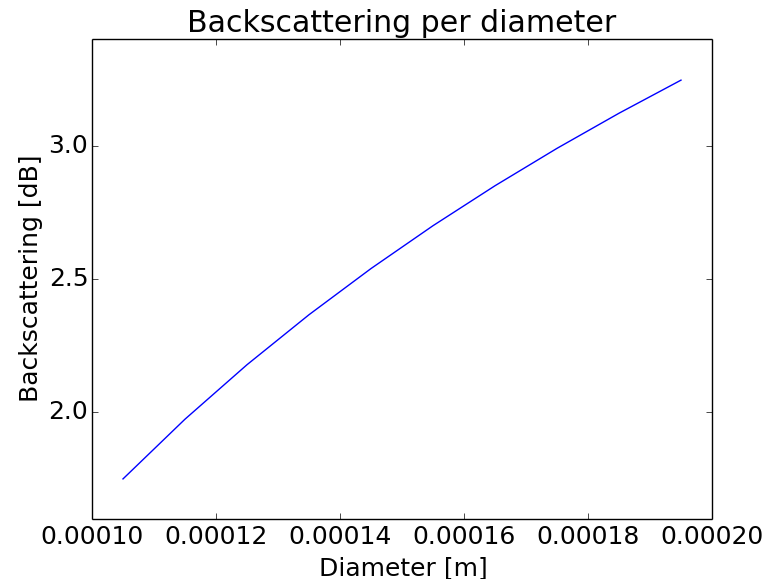
Particle Size distribution

- Decide for particle descriptor (e.g. D_{\max})
- $N(D)$ for each species of hydrometeors:
 - Bulk: describe PSD with exponential, gamma, log-normal (...) distribution
 - or
 - Spectral bin: LES full bin microphysics input



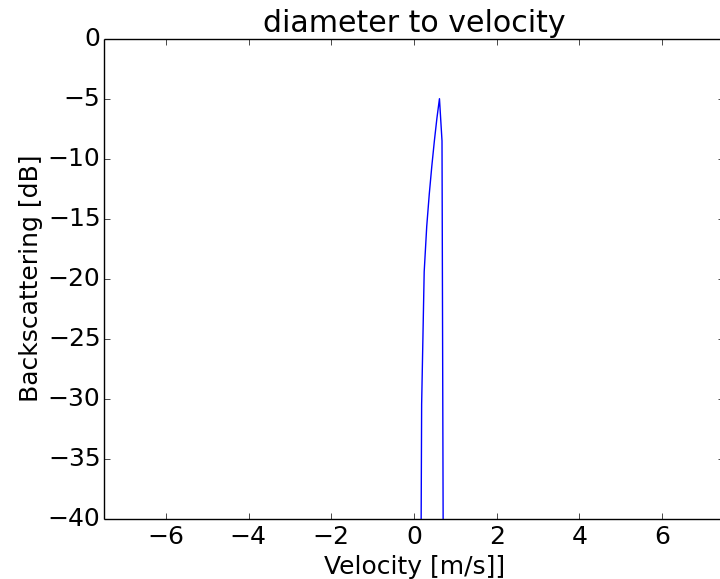
$N(D)$ -> backscattering $\sigma(D)$

- For each species:
Calculate scattering properties
 - Shape (sphere, spheroid, other?)
 - Phase (liquid, ice or mixed?)
 - Particle density
 - Ambient temperature
- For ice & snow, getting realistic scattering properties is challenging



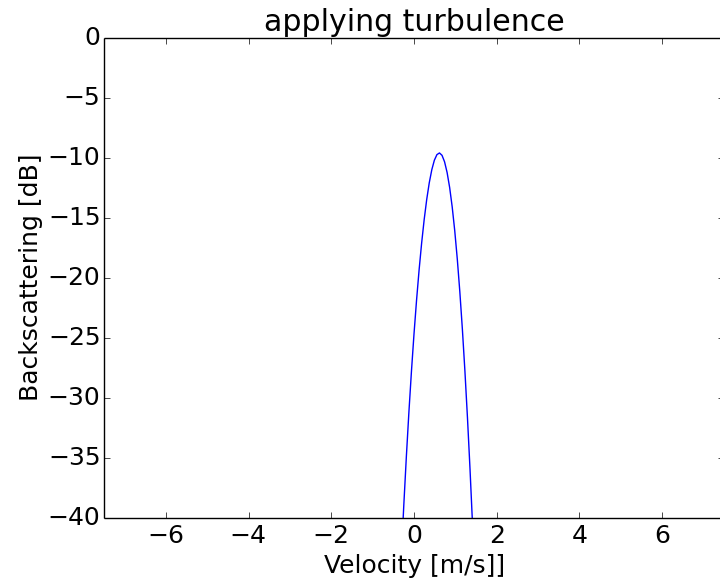
Apply fall velocity: $\sigma(D) \rightarrow \sigma'(v)$

- **Fixed fall velocity relation $v(D)$ of LES?**
 - coefficients
- **$v(D)$ relation from literature**
 - Ambient temperature, pressure
 - Mass $m(D)$
 - Cross section area $A(D)$



Simulate radar $\sigma'(\mathbf{v}) \rightarrow \eta(\mathbf{v})$

- Apply Turbulence
- Why is Turbulence crucial?
- The longer the radar averaging time, the higher the impact of turbulence on the spectrum



Spectral Width

$$\sigma_D^2 = \sigma_{\text{DSD}}^2 + \sigma_T^2 + \sigma_S^2 + \sigma_B^2$$

σ_{DSD} : particle size distribution

σ_T : turbulence within radar volume

$$\sigma_T^2 = \int_{k_s}^{k_\lambda} S(k) dk \quad S(k) = a\varepsilon^{2/3} k^{-5/3}$$

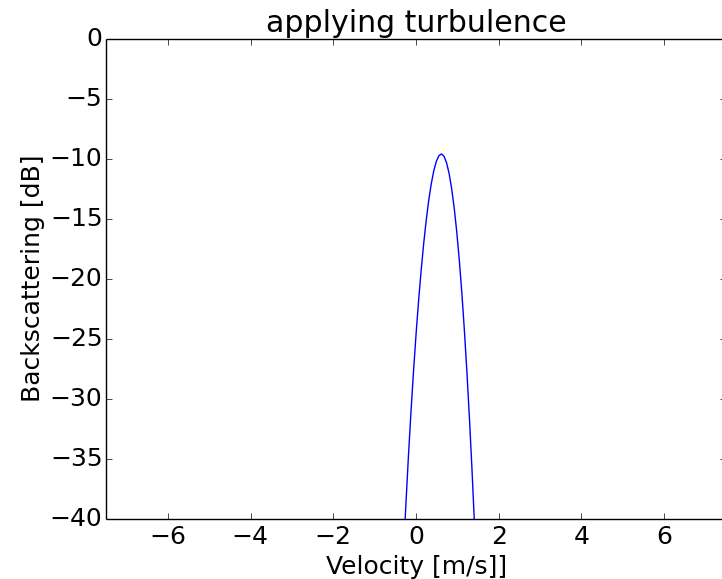

Eddy dissipation rate

σ_S : vertical and horizontal wind shear

σ_B : finite Beam width, function of horizontal wind

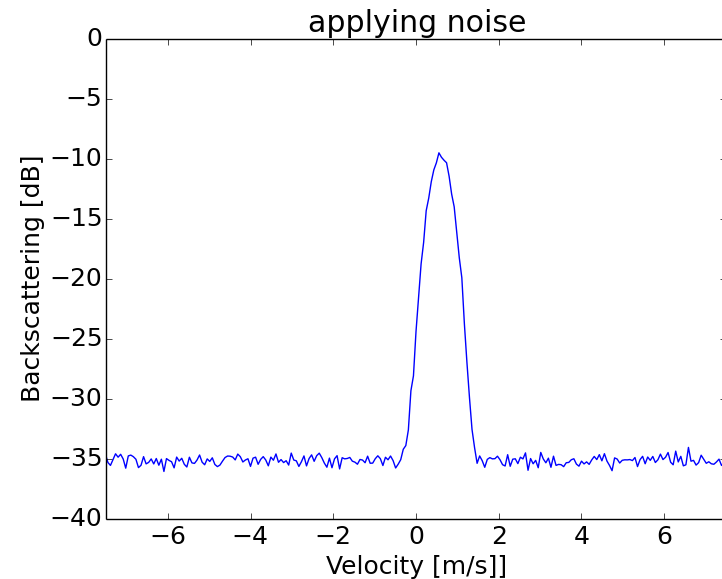
Simulate radar $\sigma'(v) \rightarrow \eta(v)$

- **Apply Turbulence**
 - Eddy dissipation rate
 - Horizontal and vertical wind field



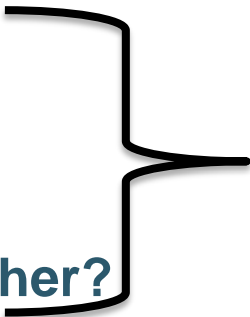
Simulate radar $\sigma'(\mathbf{v}) \rightarrow \eta(\mathbf{v})$

- Apply Radar characteristics
 - Noise
 - Spectral resolution
 - Beam width
 - Averaging time
 - ...



Ingredients of a radar forward operator

- Sufficient temporal & vertical resolution
- Size definition (D_{\max})
- Number concentration: $N(D)$
- Mass: $m(D)$
- Cross section area: $A(D)$
- Density: $\rho(D)$
- Shape: sphere, spheroid, other?
- Phase: liquid, solid, mixed?
- Turbulence: Eddy dissipation rate
- Ambient wind, temperature, pressure
- Radar characteristics



For ice: keep these ones consistent!