

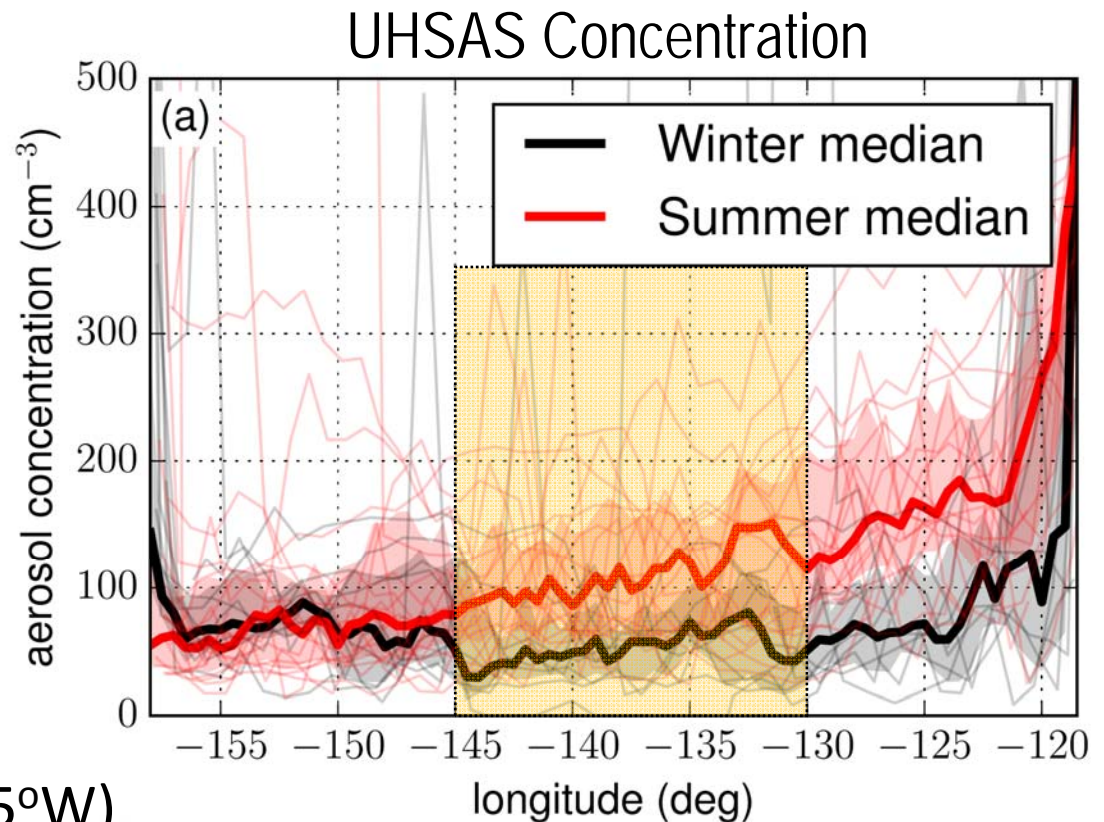


Using MAGIC data to constrain the marine boundary layer CCN budget in the Sc-Cu transition region

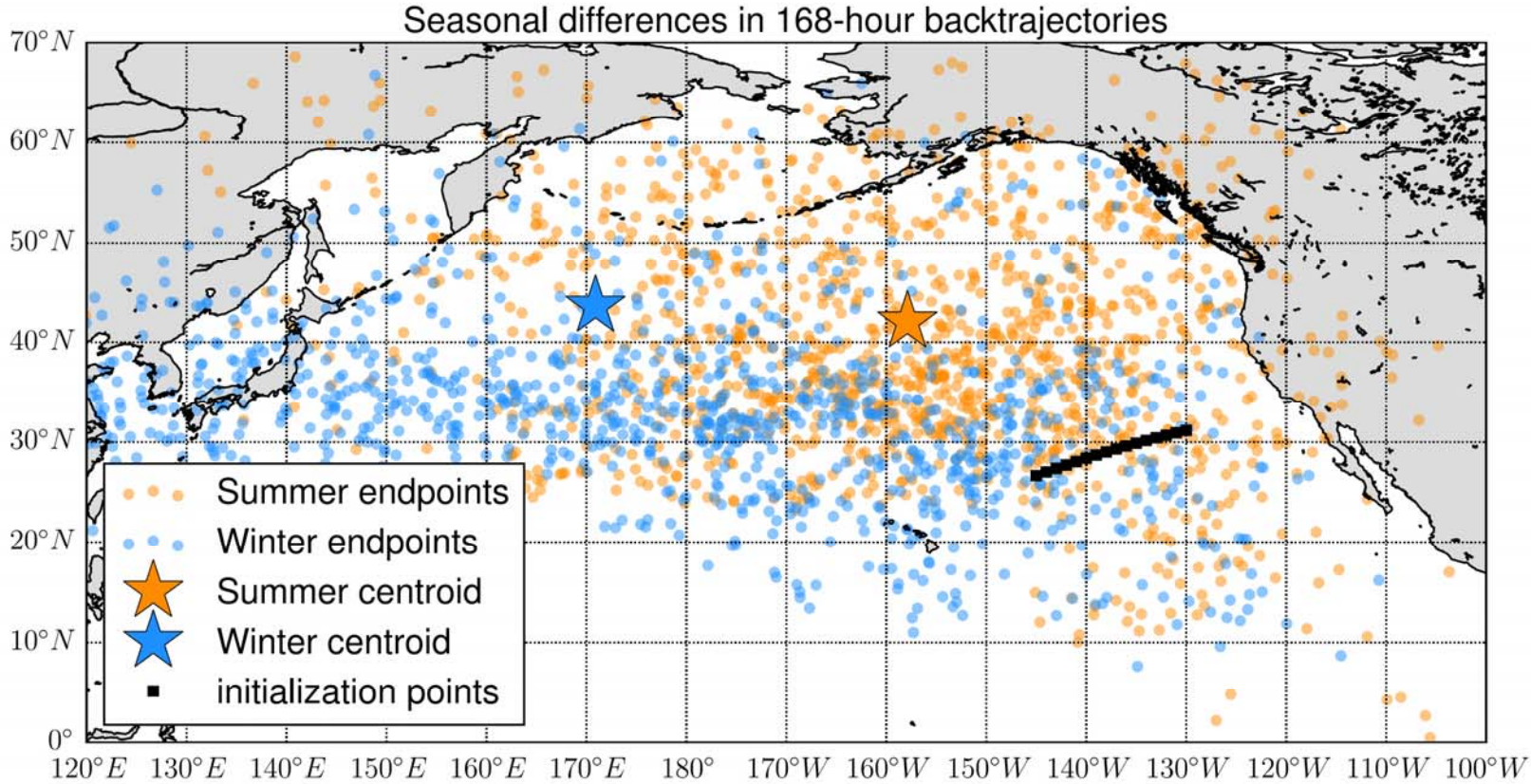
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MAGIC: Seasonality of accumulation mode aerosol concentration

- **Winter:** Legs 02A-08B (Sep 2012-Jan 2013)
- **Summer:** Legs 10A-19B (May-Sep 2013)
- Here, focus is on understanding the remote region (130-145°W)
- Coastal region variability explored in Painemal et al. (2015)



Back-trajectory source locations



Simple CCN budget in the MBL

$$\dot{N} = [\dot{N}]_{ent} + [\dot{N}]_{sfc} + [\dot{N}]_{coal}$$

Model accounts for:

- Entrainment
- Surface production (sea-salt)
- Coalescence scavenging

Model does not account for:

- New particle formation – significance still too uncertain to include
- Advection
- Dry deposition (typically <10% of coalescence scavenging)
- Interstitial aerosol scavenging in-cloud, or subcloud precip scavenging

Production terms in CCN budget

Entrainment rate

FT Aerosol concentration

$$[\dot{N}]_{ent} = \frac{w_e(N_{FT} - N)}{z_i}$$

MBL depth

Sea-salt parameterization-dependent constant

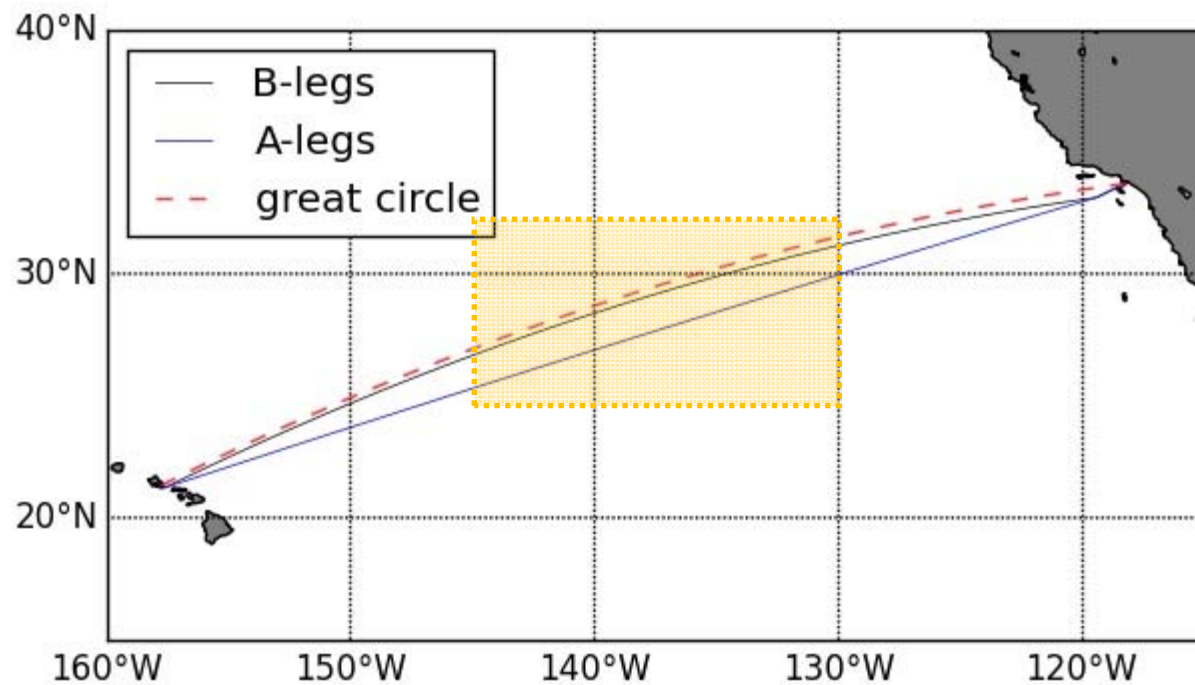
Wind speed at 10 m

$$[\dot{N}]_{sfc} = \frac{\beta U_{10}^{3.41}}{z_i}$$

The diagram illustrates two production terms in a CCN budget. The first equation, $[\dot{N}]_{ent} = \frac{w_e(N_{FT} - N)}{z_i}$, represents entrainment. Blue arrows point from the labels 'Entrainment rate' to w_e , 'FT Aerosol concentration' to N_{FT} , and 'MBL depth' to z_i . The second equation, $[\dot{N}]_{sfc} = \frac{\beta U_{10}^{3.41}}{z_i}$, represents sea-salt production. Blue arrows point from 'Sea-salt parameterization-dependent constant' to β , 'Wind speed at 10 m' to U_{10} , and 'MBL depth' to z_i . A red arrow points from the bottom text to the β parameter in the second equation.

We use Clarke et al. (*J. Geophys. Res.*, 2006) at 0.2% supersaturation to represent an upper limit

MAGIC Data used



- Focus on Sc-Cu transition region (130-145°W)
- Split data into summer and winter

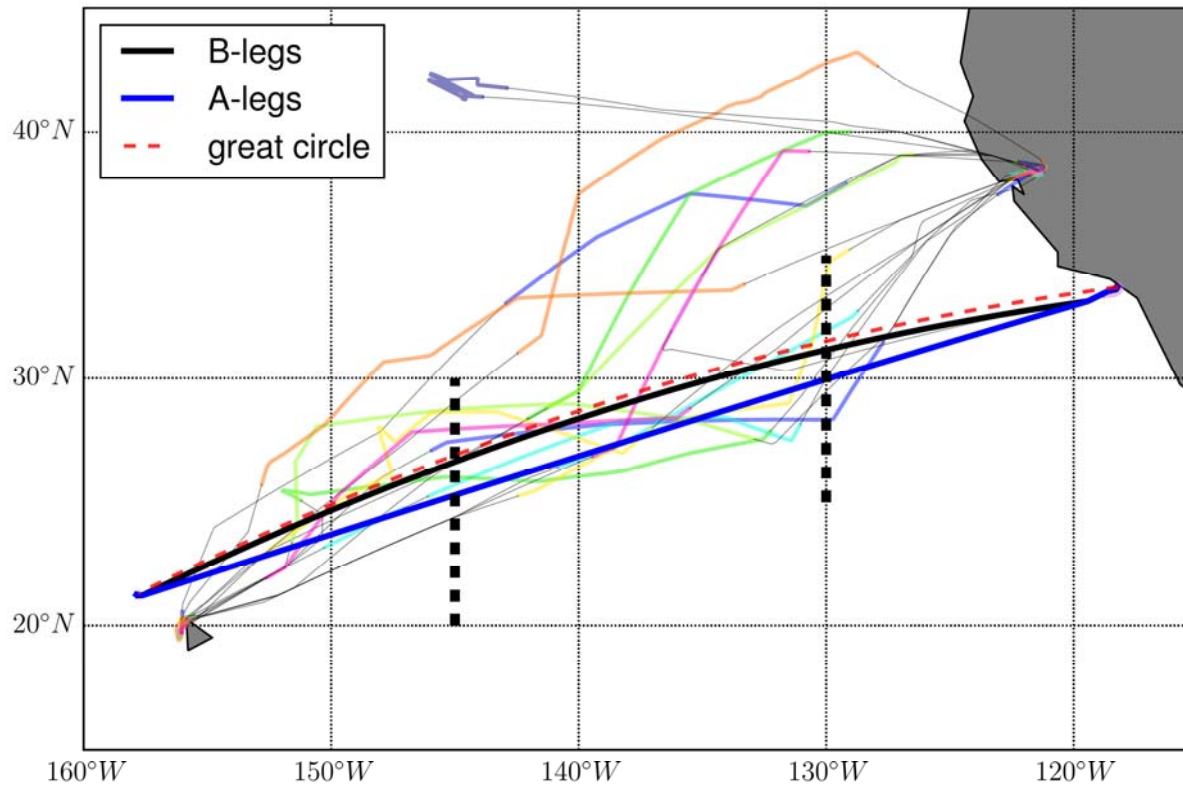
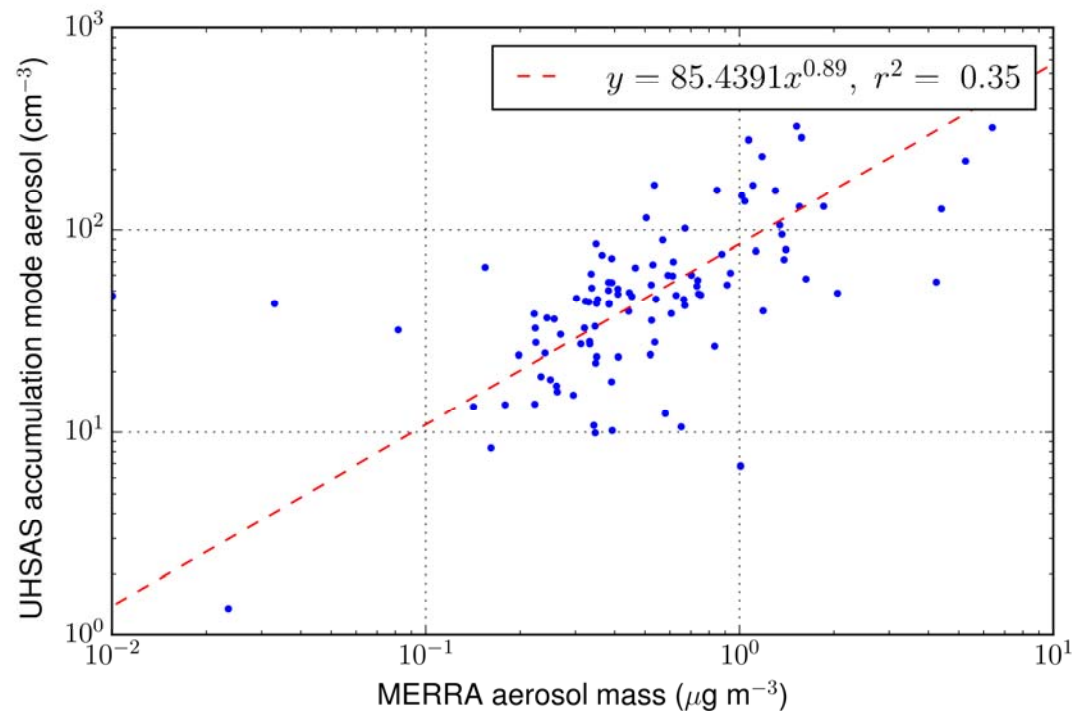


Figure 2.1: (Thick black and blue lines) MAGIC ship path from Leg 15; the *Spirit* followed a fixed path for all legs with minor deviation. Thick dashes show boundaries of west/central/east regions of analysis. (Thin colored lines) CSET flights; colored section corresponds to boundary-layer and lower free-tropospheric profiling. Note that the bulk of the CSET flights took place within the central region.

Free tropospheric aerosol (N_{FT})

Data from NSF Cloud System Evolution in the Trades (CSET) aircraft campaign (G-V HIAPER, Jul-Aug 2015)

- Correlate lower free-tropospheric concentration from UHSAS on G-V with MERRA-2 submicron aerosol mass
- Use MERRA-2 seasonally-varying aerosol mass to estimate seasonal cycle in FT accumulation mode aerosol concentration
- Not great, but it is probably the best we can do



Cloud top entrainment rate

- Use Wood and Bretherton (2004) mass budget approach. For seasonal means, there is no storage term ($\partial z_i / \partial t = 0$), so:

$$w_e = w_s + \mathbf{U} \cdot \nabla z_i$$

Diagram illustrating the mass budget equation for cloud top entrainment rate (w_e).

The equation is: $w_e = w_s + \mathbf{U} \cdot \nabla z_i$

Labels and arrows pointing to the terms:

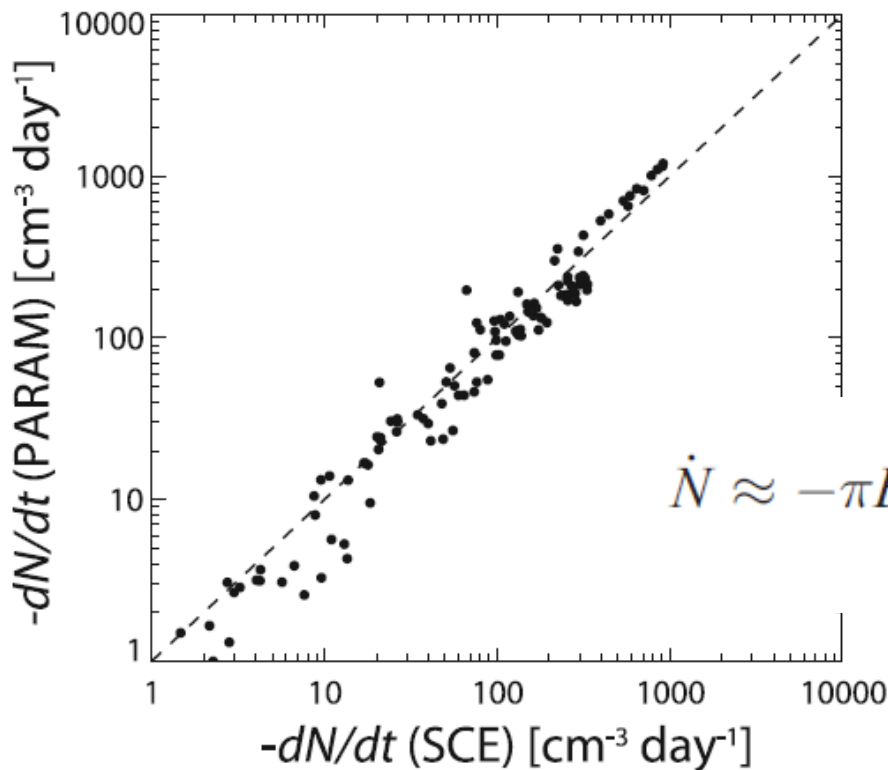
- entrainment rate (points to w_e)
- subsidence rate (ERA-I) (points to w_s)
- advection of MBL depth (ERA-I) (points to $\mathbf{U} \cdot \nabla z_i$)

Winter: $w_e = 3.4 \text{ mm s}^{-1}$
Summer: $w_e = 5.5 \text{ mm s}^{-1}$

Loss term in CCN budget: Coalescence scavenging

$$[\dot{N}]_{coal} = -KNP_{CB} \frac{h}{z_i}$$

Constant \rightarrow K
 Precip. rate at cloud base \rightarrow P_{CB}
 cloud thickness \rightarrow h
 MBL depth \rightarrow z_i



Comparison against results from stochastic collection equation (SCE) applied to observed size distribution

$$\dot{N} \approx -\pi E_0 N \int_0^\infty r^3 w_T n(r) dr = -\frac{3}{4\rho_w} E_0 NP$$

Wood, *J. Geophys. Res.*, 2006

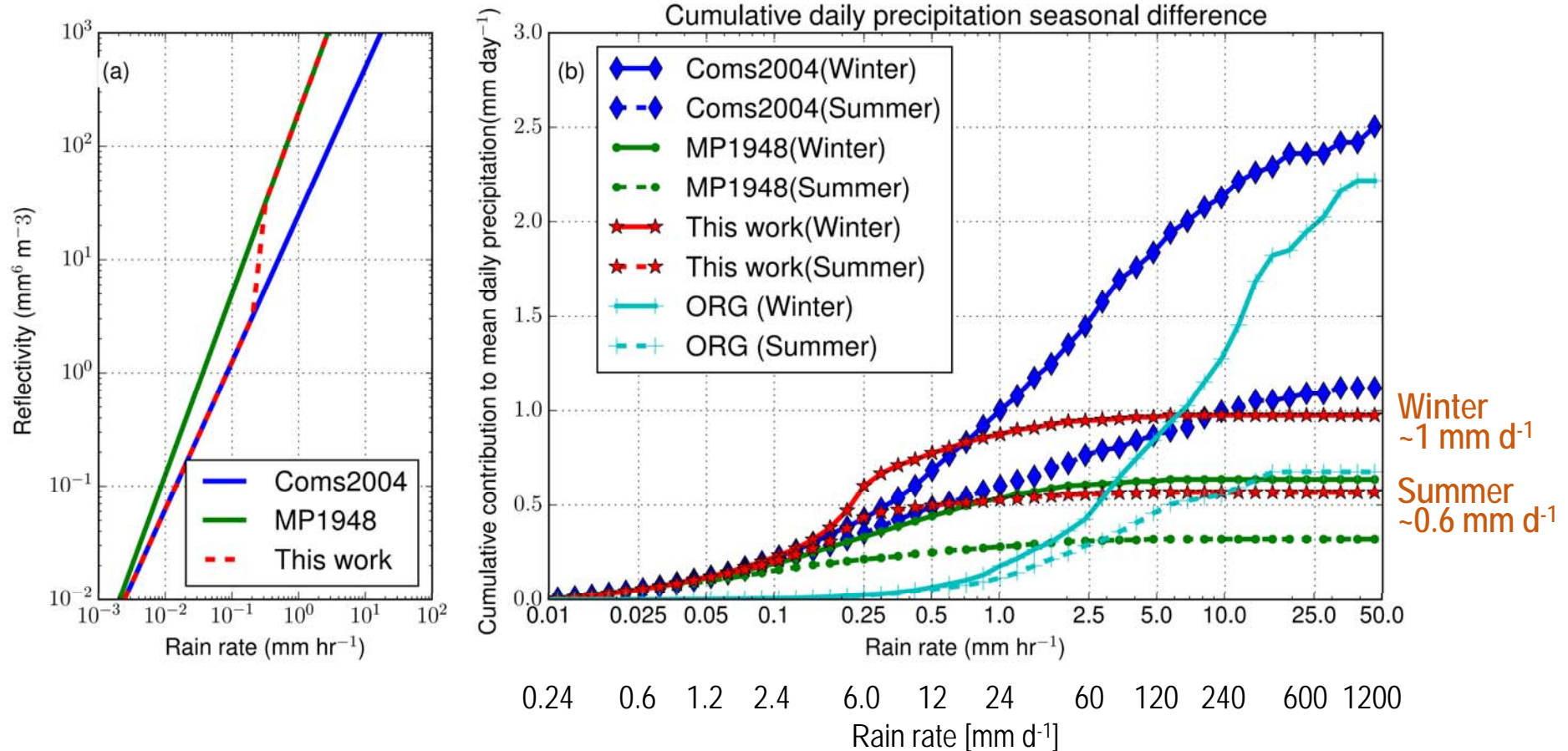
Steady state (equilibrium) CCN concentration

$$N_{eq} = \frac{\left(N_{FT} + \frac{\beta U_{10}^{3.41}}{Dz_i} \right)}{\left(1 + \frac{hkPCB}{Dz_i} \right)}$$

$w_e/z_i = D =$ surface divergence

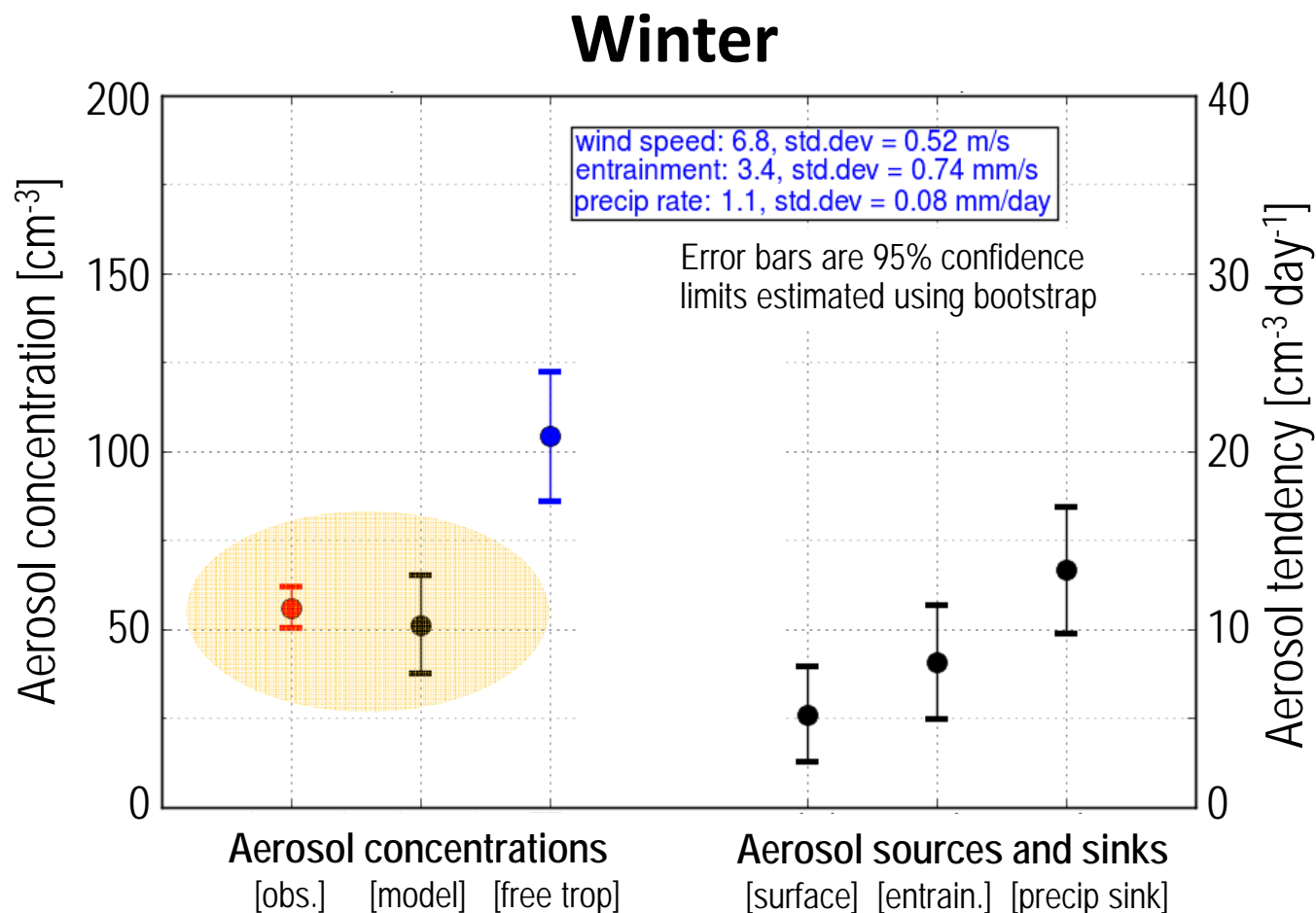
Precipitation estimates

- Z-R based estimates from WACR
- Z-R relationship for cloud base from Comstock et al. (2004) for light rain rates, with Marshall-Palmer Z-R for heavier rates, to generate a “hybrid” cloud base precipitation rate
- Winter mean precipitation rate exceeds summer by ~70%



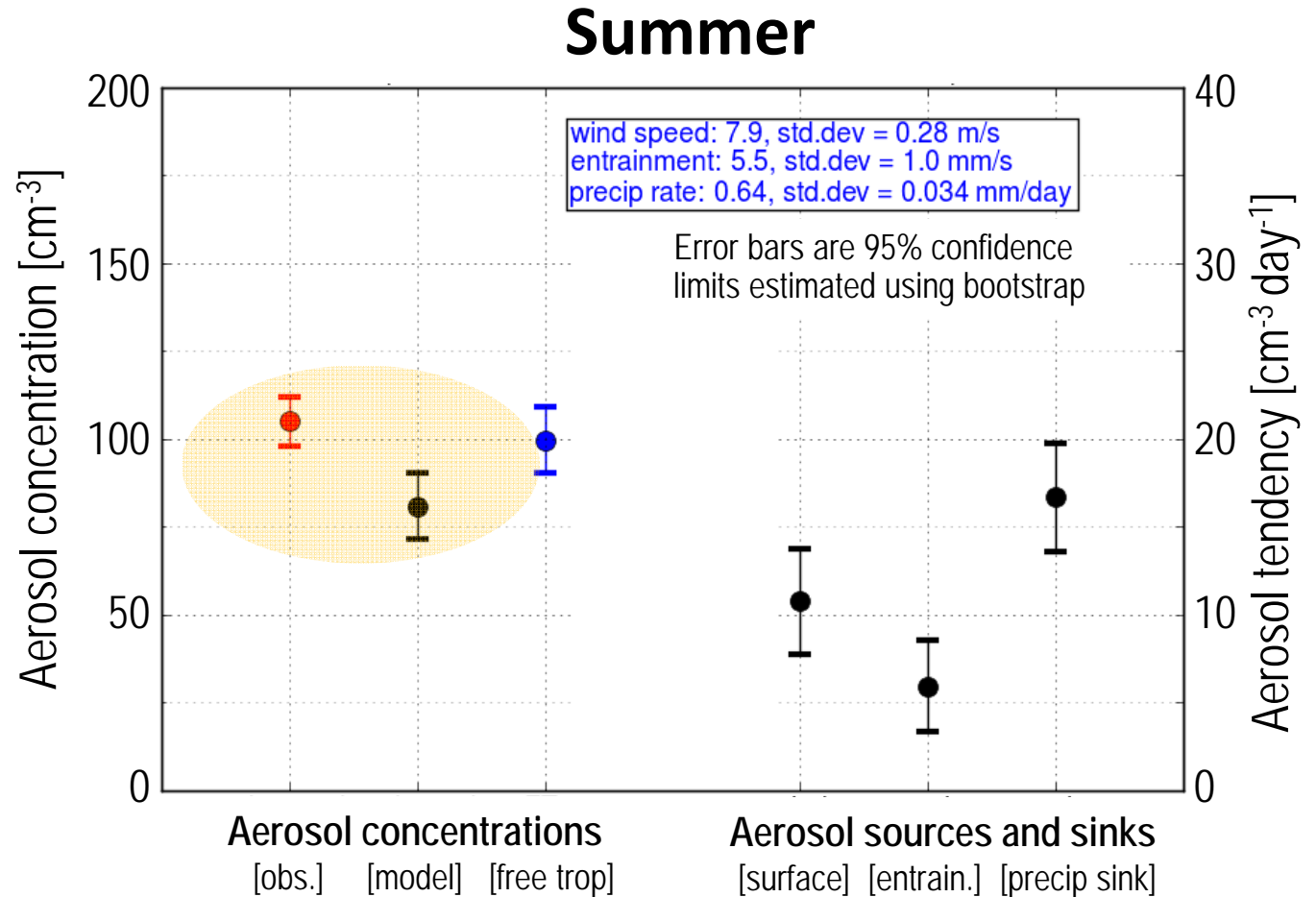
How well do we estimate the accumulation mode aerosol concentration?

- Good agreement between observed and modeled aerosol concentration
- Free troposphere serves as a source and exceeds surface source



How well do we estimate the accumulation mode aerosol concentration?

- Concentrations roughly factor of two higher during summer; model captures quite well
- Precipitation explains 50% of seasonal difference
- Free troposphere is a weaker source than during winter owing to weaker FT-MBL differential
- Surface source more important

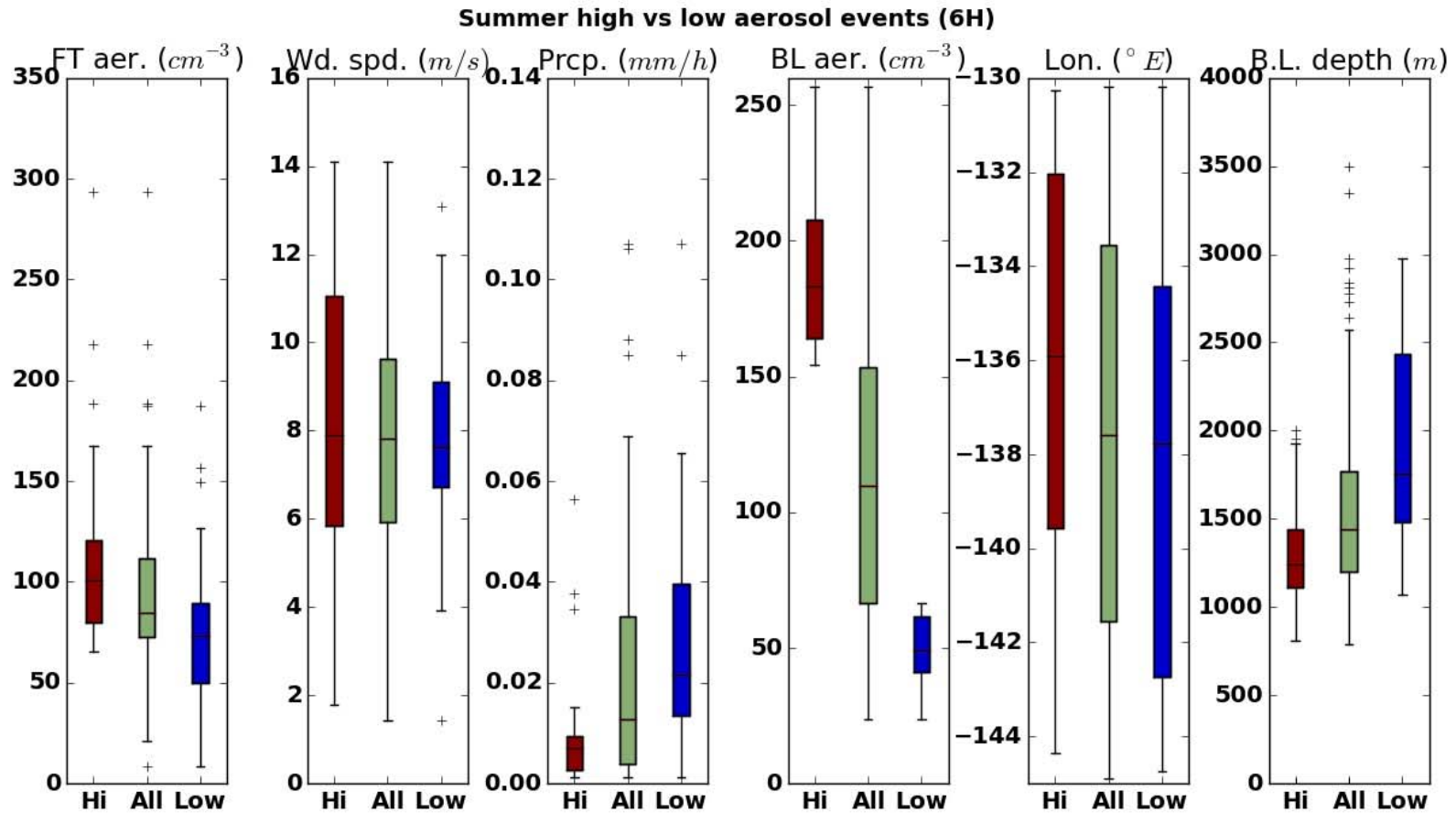


Summary

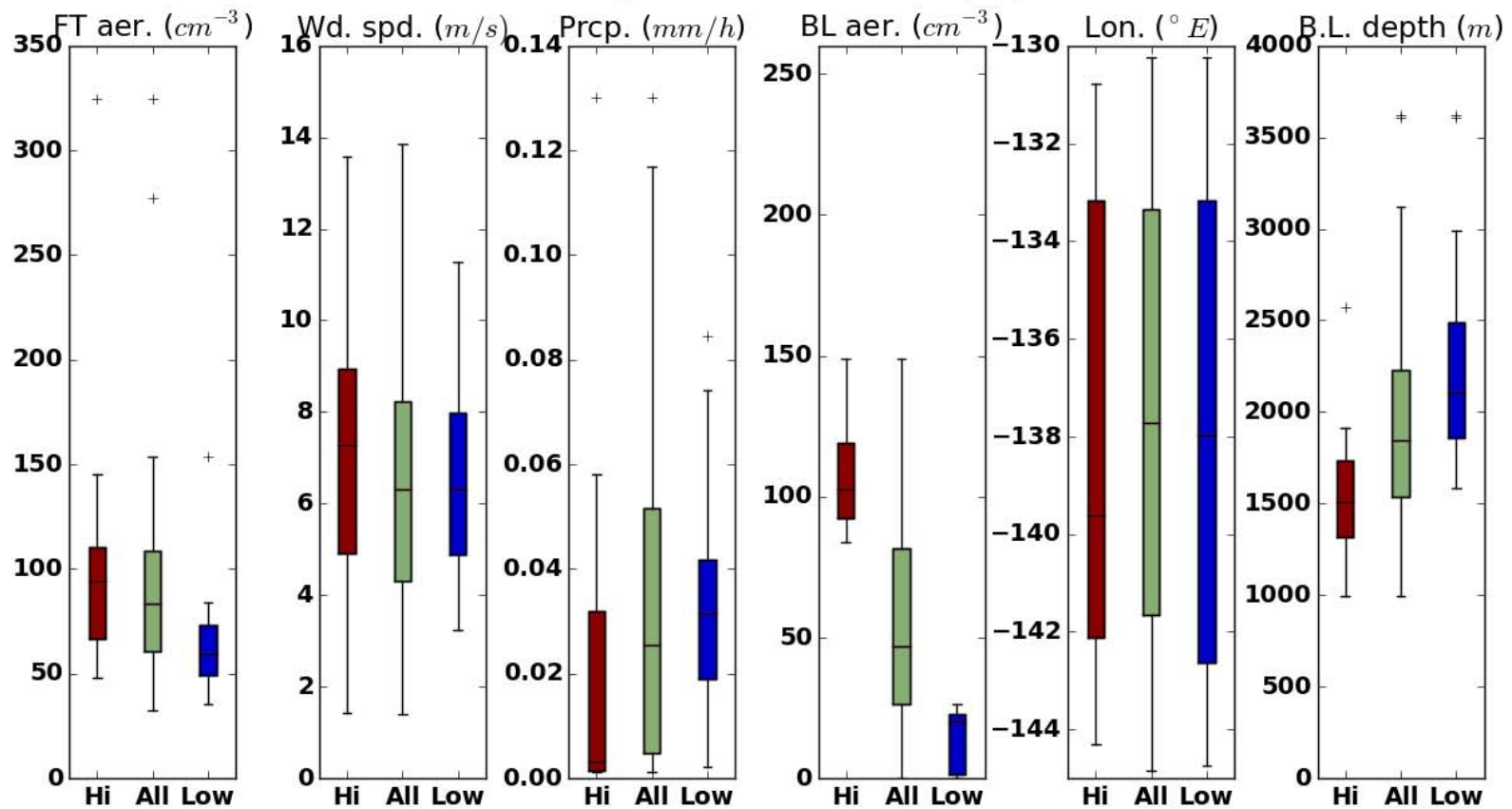
- In the Sc-Cu transition region away from the coast, the mean summer accumulation mode aerosol concentration (N_a) in the MBL is roughly twice that during winter (100 cm^{-3} vs 50 cm^{-3})
- The summer-winter difference in N_a is captured reasonably well by simple CCN budget model driven by observationally-constrained surface sources, FT entrainment and precipitation sinks
- Seasonal cycle driven mostly (50%) by higher precipitation sink during winter
- There is plenty of uncertainty in these estimates

Additional slides

Subseasonal variability

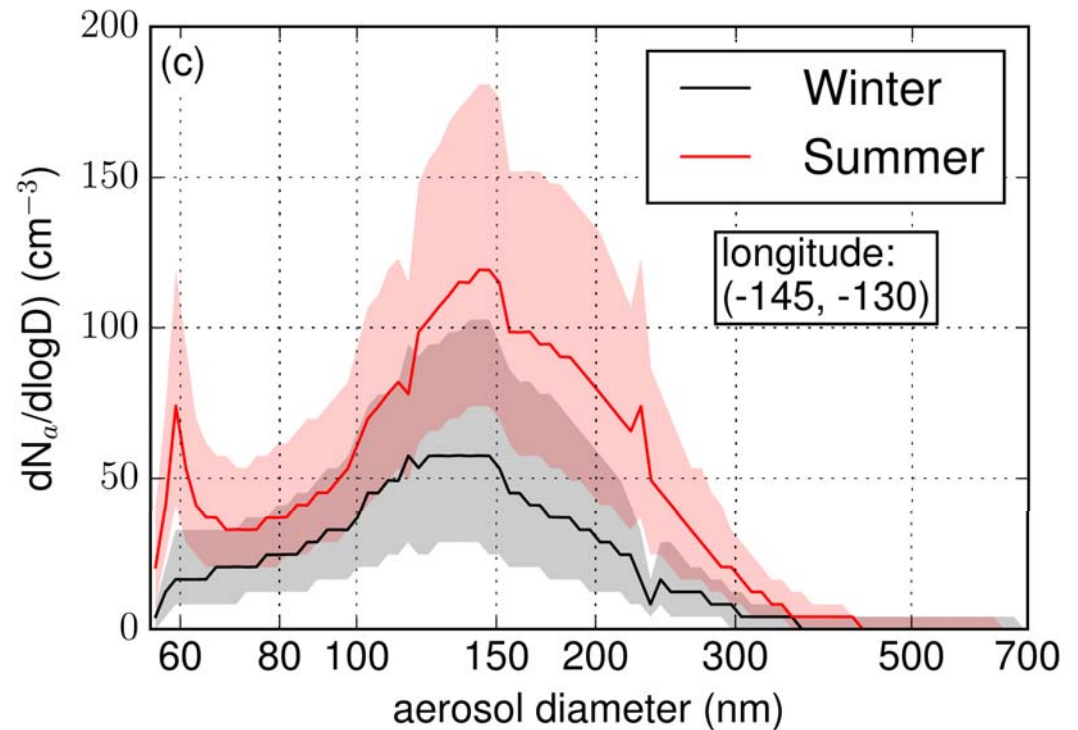


Winter high vs low aerosol events (6H)



UHSAS Size Distribution

- Seasonal concentration differences largely explained by changes in all size categories



Loss terms in CCN budget: (2) Dry deposition

$$[\dot{N}]_{dry\ dep.} = -N \frac{w_{dep}}{Z_i}$$

Deposition velocity

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = \frac{K P_{CB} h}{w_{dep}}$$

$$w_{dep} = 0.002 \text{ to } 0.03 \text{ cm s}^{-1} \text{ (Georgi 1988)}$$
$$K = 2.25 \text{ m}^2 \text{ kg}^{-1} \text{ (Wood 2006)}$$

For $P_{CB} = > 0.1 \text{ mm day}^{-1}$ and $h = 300 \text{ m}$

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = 3 \text{ to } 30$$

For precip rates $> 0.1 \text{ mm day}^{-1}$, coalescence scavenging dominates

CCN budget with all processes

Sea spray Growth to CCN size Precipitation loss

Advection Entrainment Dry Deposition Secondary formation

↓ ↓ ↓

$$\frac{dN_a}{dt} = \frac{\partial N_a}{\partial t} \Big|_{adv} + \frac{\partial N_a}{\partial t} \Big|_{sfc} + \frac{\partial N_a}{\partial t} \Big|_{ent} + \frac{\partial N_a}{\partial t} \Big|_{grth} + \frac{\partial N_a}{\partial t} \Big|_{dry} + \frac{\partial N_a}{\partial t} \Big|_{prcp} + \frac{\partial N_a}{\partial t} \Big|_{scnd}$$

