

# LASSO: Perspective and Results

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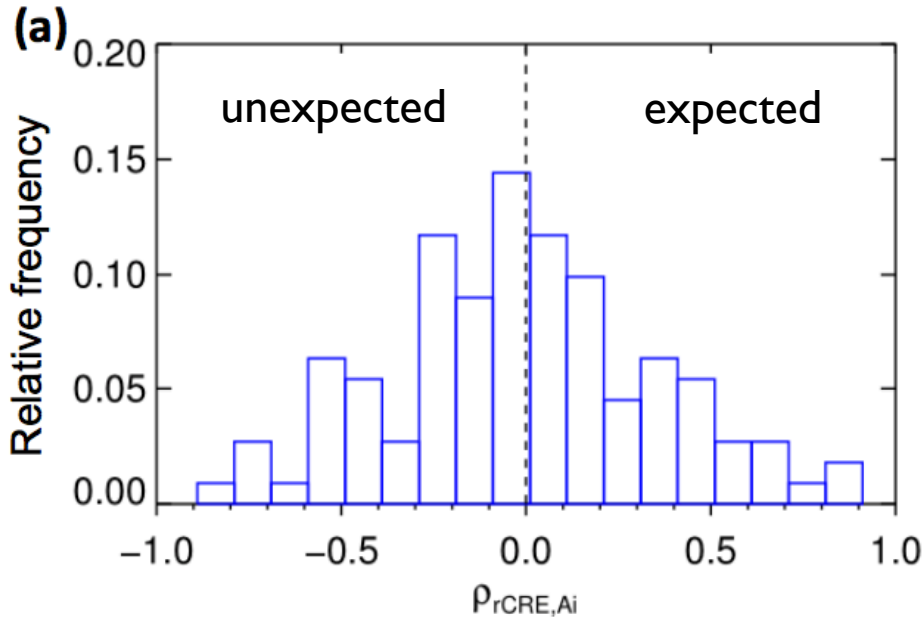
<sup>3</sup> Yale University, Connecticut

<sup>4</sup> NRC Fellow

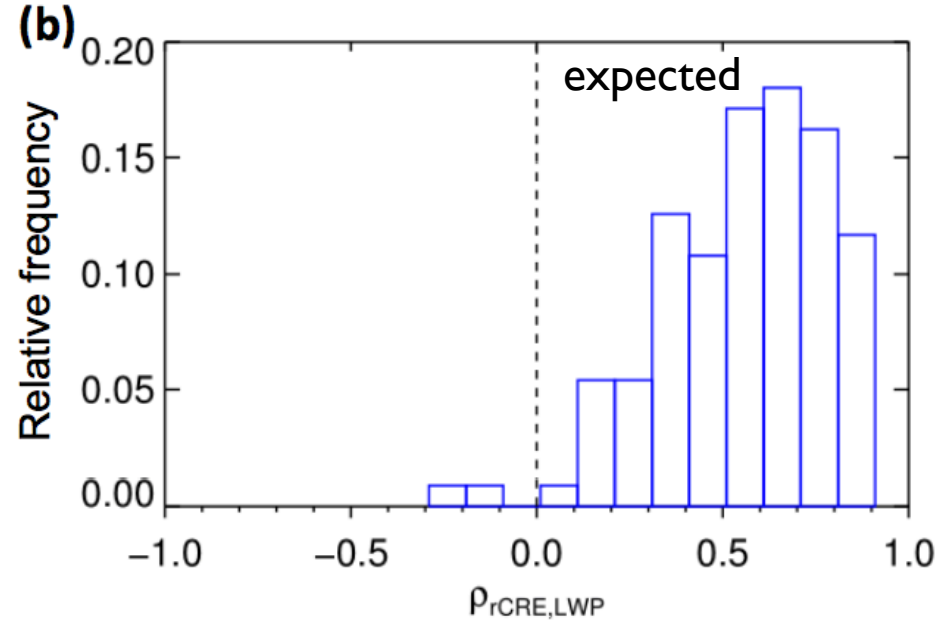
<sup>5</sup> University of Sao Paulo, Brazil



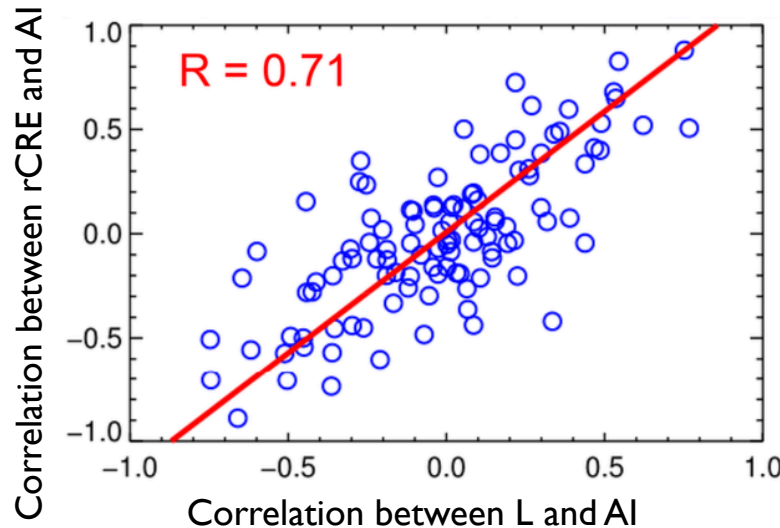
# Observations: 14 years of warm clouds at SGP Continental US



Correlation between rCRE and Aerosol Index



Correlation between rCRE and L



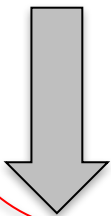
*Importance of understanding co-variability between aerosol and meteorology/L*

$$rCRE = 1 - \frac{F_{sw,all}}{F_{sw,clr}}$$

$F_{sw}$  = downwelling shortwave flux

# Approaches to quantifying Aerosol-Cloud Radiative Effect

Top-down



$$\mathcal{A} = f_c \mathcal{A}_c + (1 - f_c)\mathcal{A}_s$$



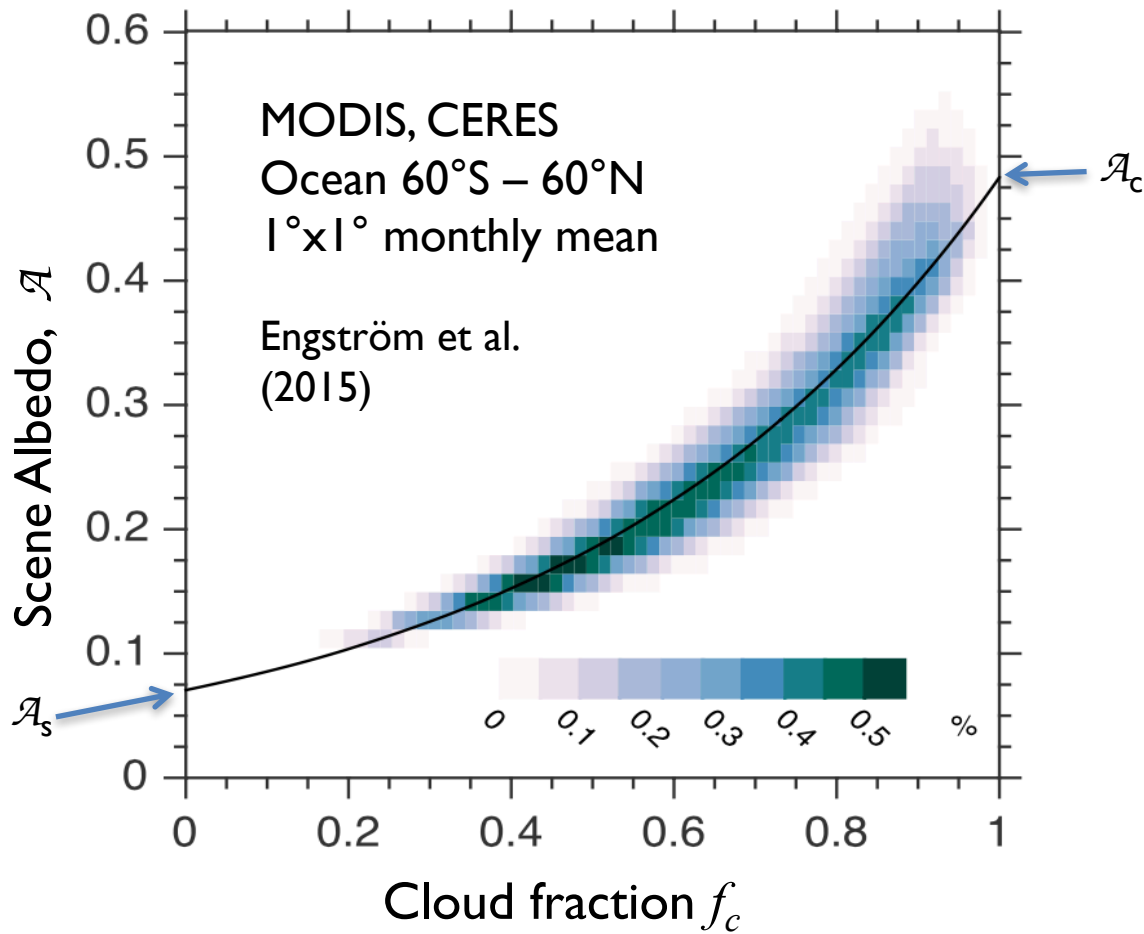
## Cloud field Properties

Cloud fraction,  $f_c$

Liquid water path,  $L$

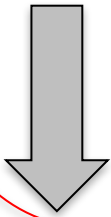
Cloud optical depth,  $\tau_c$

Cloud albedo,  $\mathcal{A}_c$



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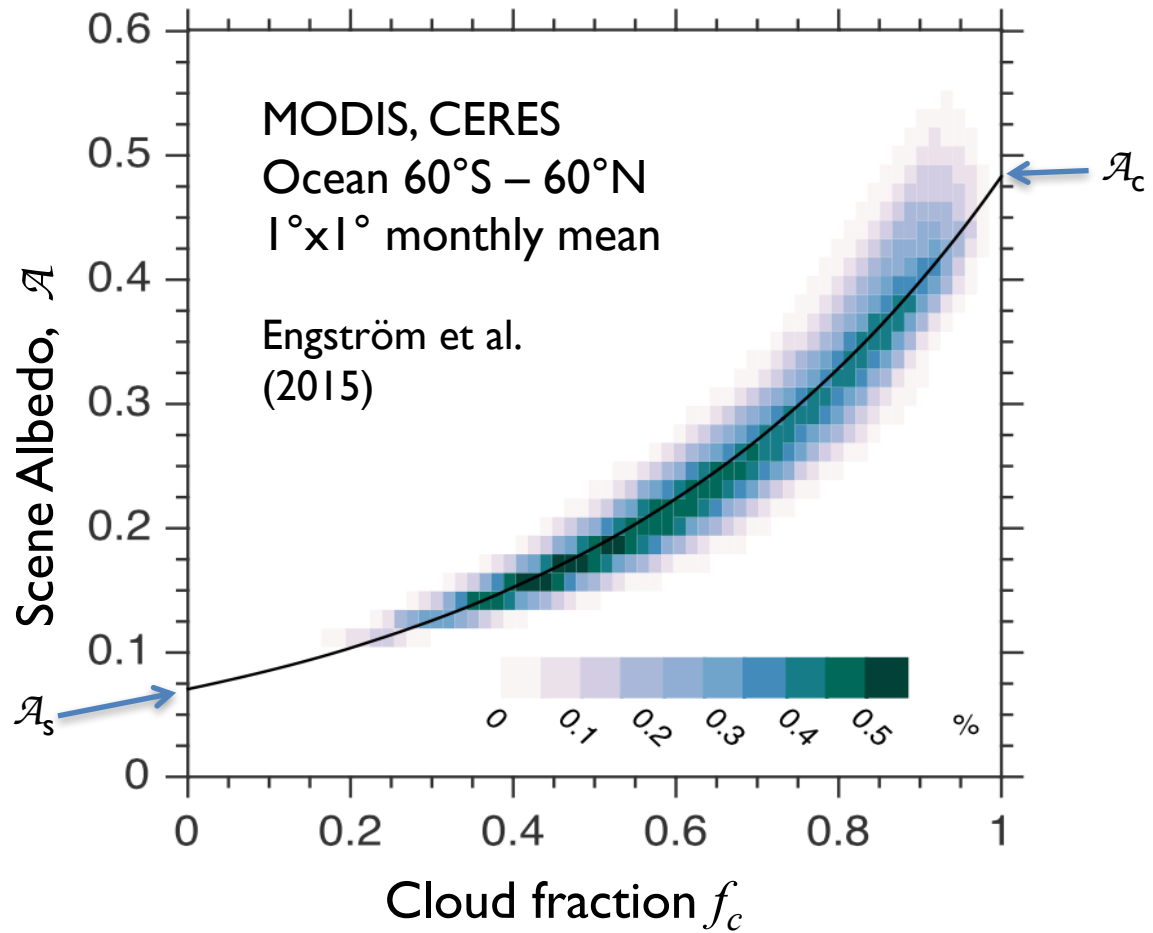
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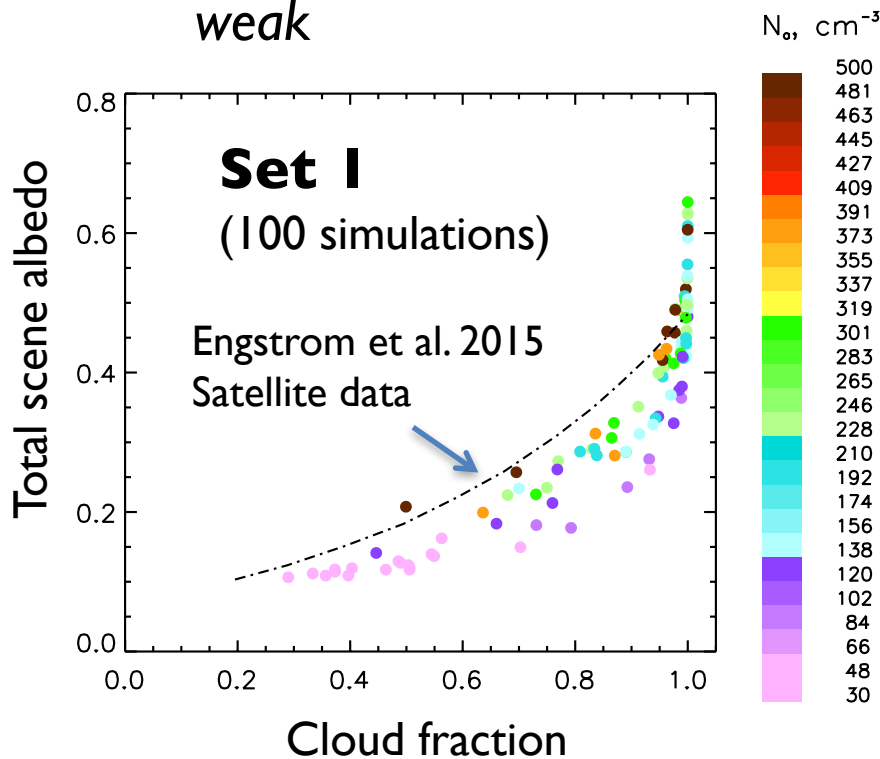


*How do aerosol cloud interactions manifest themselves in this kind of framework?*

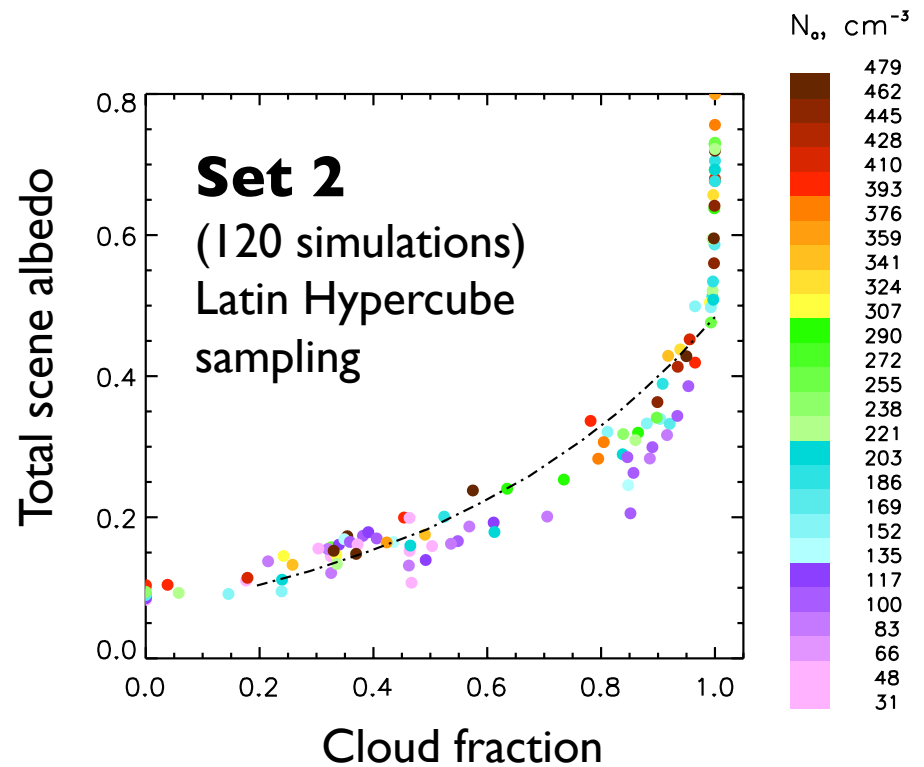
# Two sets of model simulations, differing only in the co-variability of aerosol and meteorology

*Co-variability of inputs influences detectability of aerosol effects!*

*Aerosol influence is detectable but relatively weak*

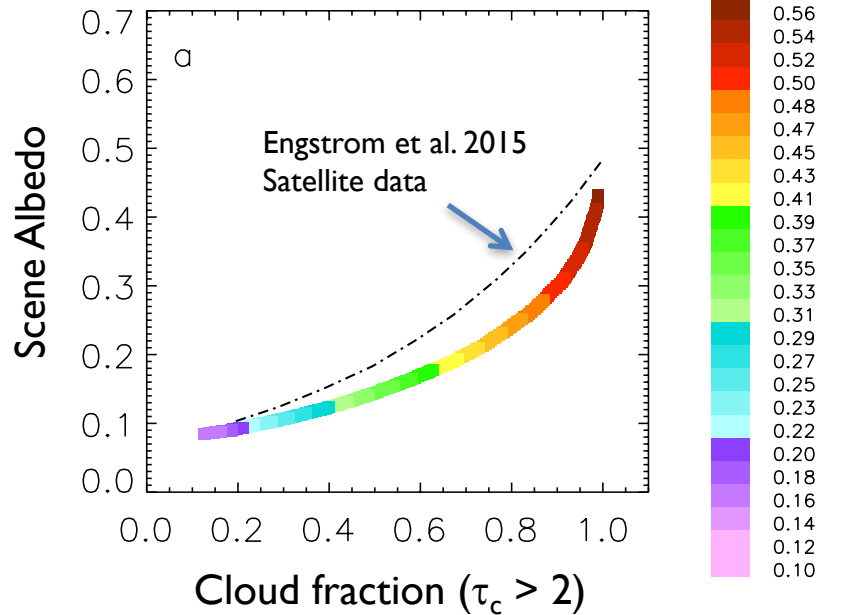


*Aerosol effect is imperceptible*

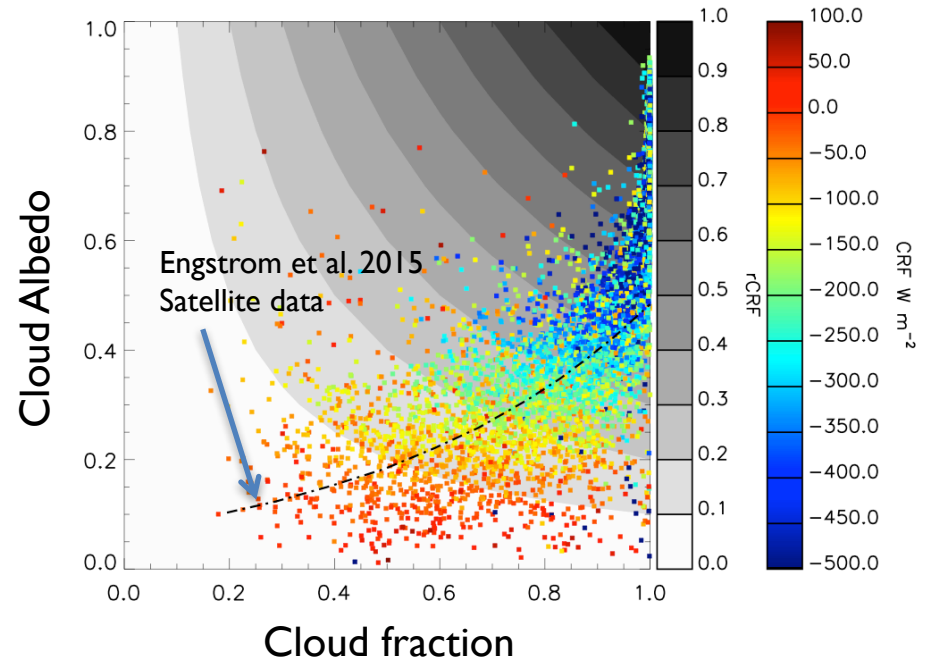


# Relative Cloud Radiative Effect

Closed-to-open cell Scu transition  $r_{CRE}(sfc)$   
(modeling)



**SGP observations**

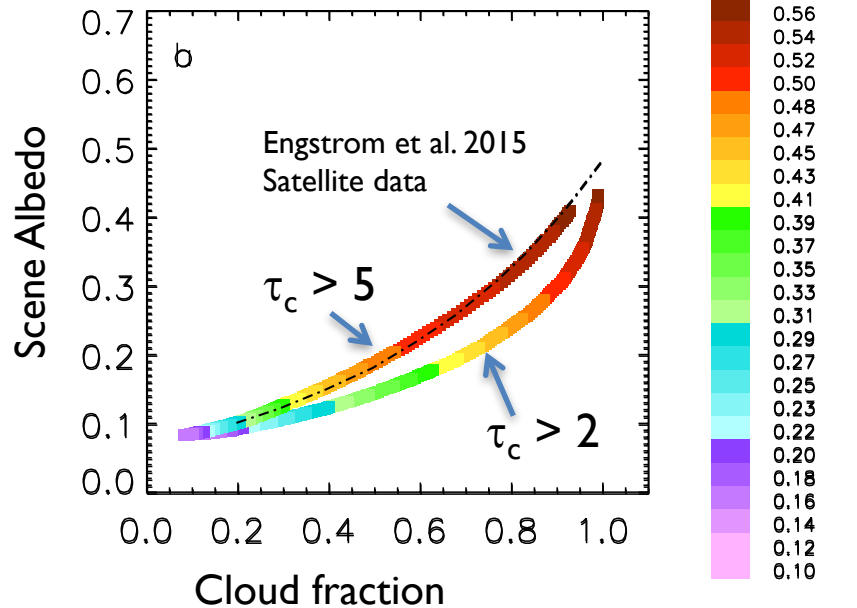


SGP, 1999-2010

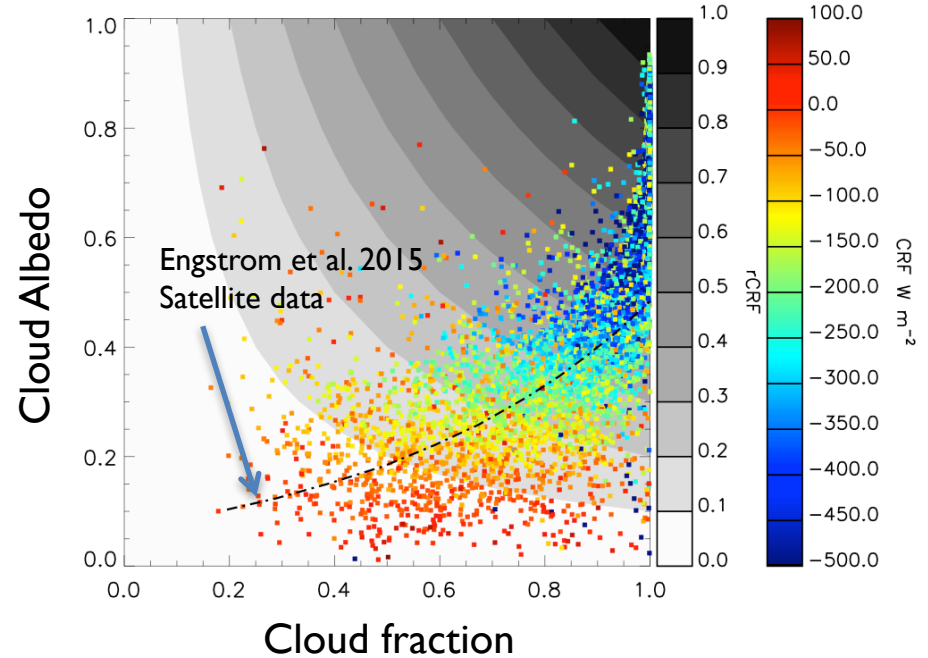
- shallow clouds (300-3000 m)
- single layer, non-precipitating
- Each point is a daily average

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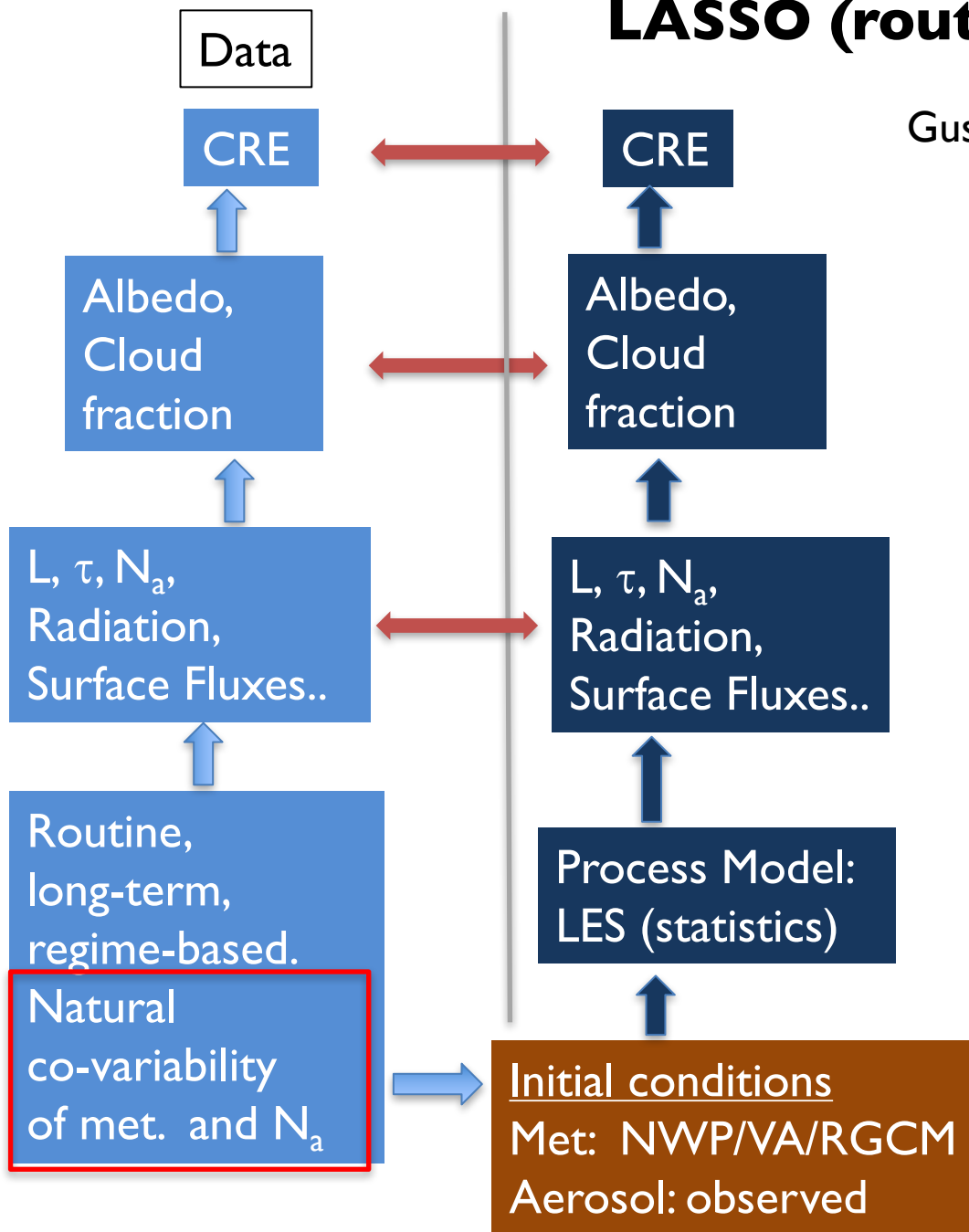
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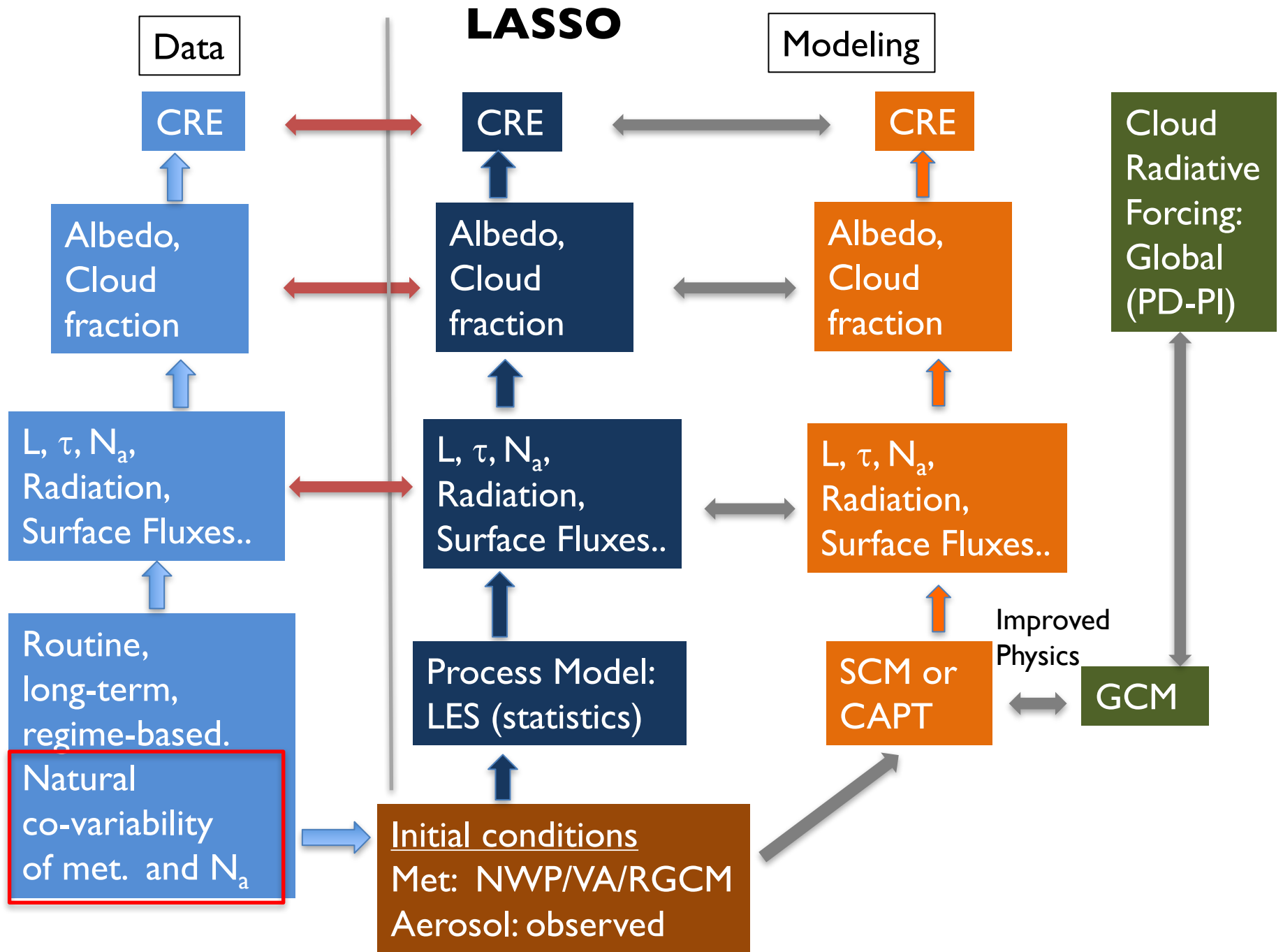
*Cloud fraction requires careful definition!*

# LASSO (routine LES at SGP)

Gustafson and Vogelmann





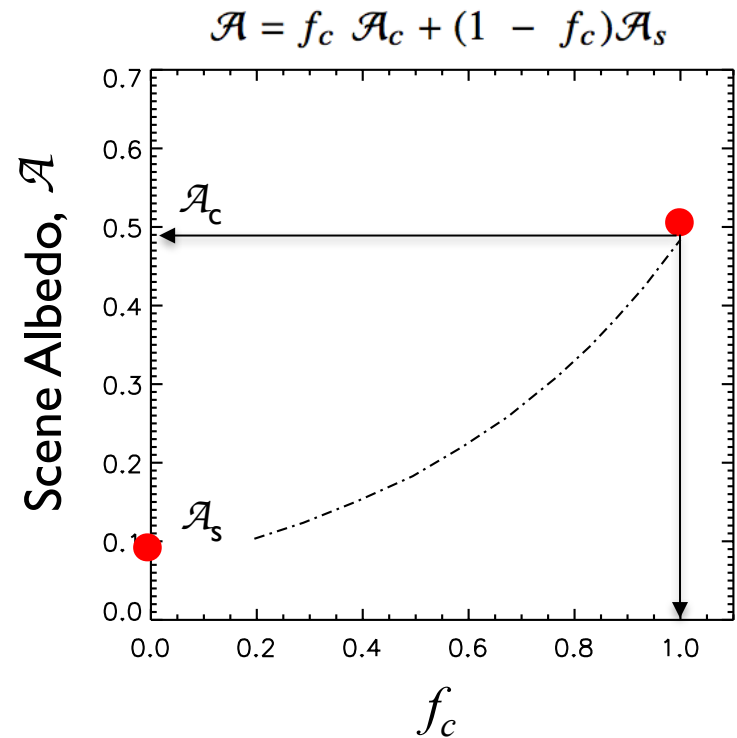


But what controls the shape of these  $\mathcal{A}$  vs.  $f_c$  curves?

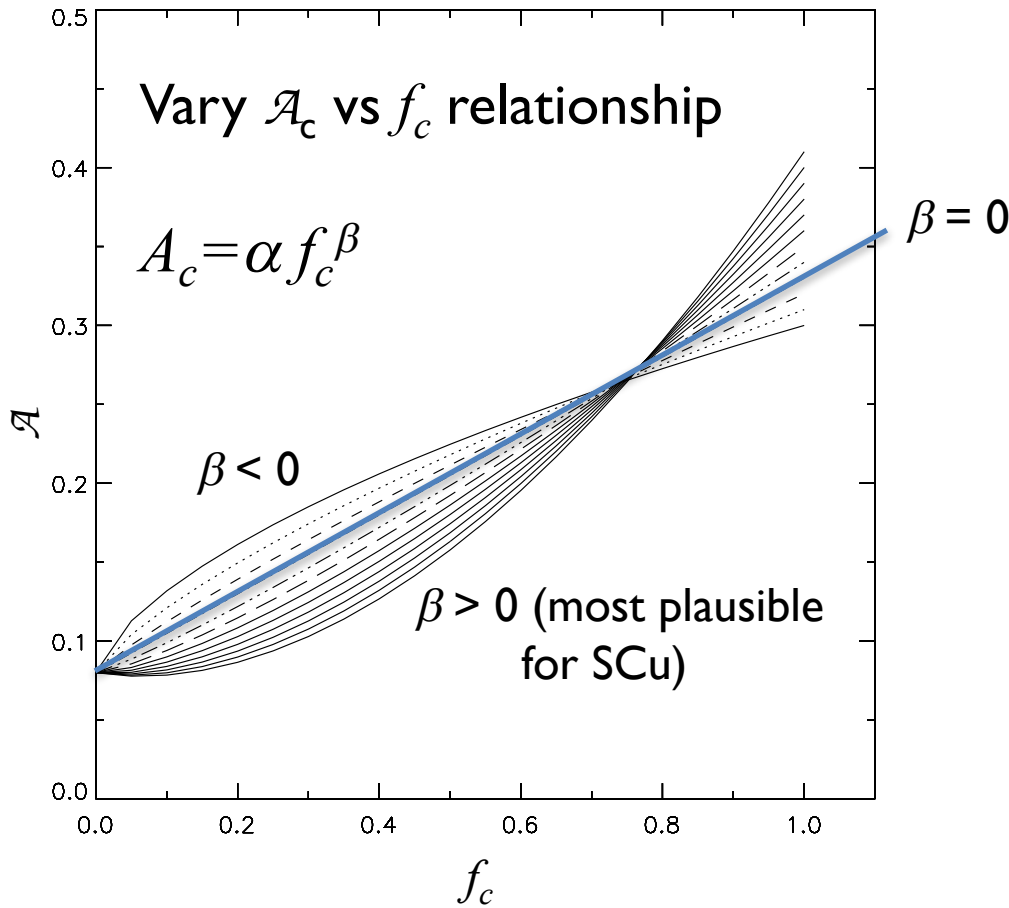
Connect cloud processes  
to shape of  $\mathcal{A}$ ;  $f_c$  curves

Simple models:

1. Stratocumulus
2. Cumulus

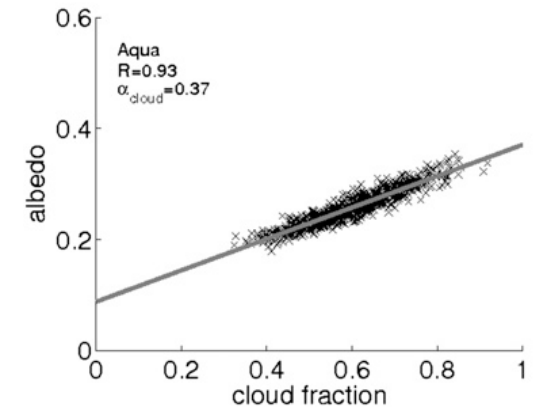


# Simple Stratocumulus Cloud Model (Considine 1997)



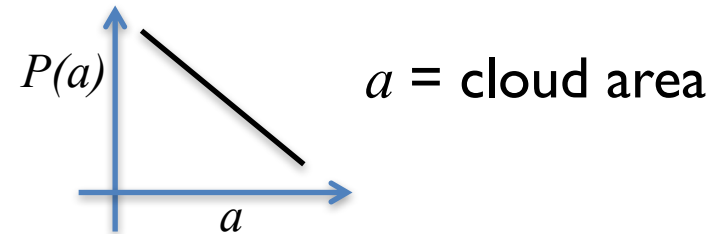
Considine model 1997

Curvature indicates that cloud albedo increases with cloud fraction



Bender et al. 2011  
Peruvian SCu

# Simple Cumulus Cloud Model (Feingold et al., 2017)



## Assumptions:

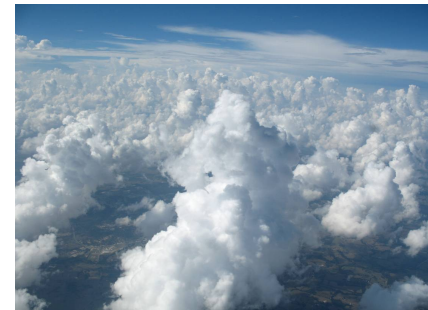
- Cloud size distribution is a negative power law

$$P(a) = A a^{-b}$$

- Power law relationship between cloud depth and area (cloud top varies)

$$z = \alpha a^{\beta} \quad z = \text{cloud depth} \quad \beta \sim 0.3$$

- Cloud base is constant



# Simple Cumulus Cloud Model (Feingold et al., 2017)

**Adiabatic:**  $L = \frac{c_w z^2}{2}$

$$\bar{L} = \frac{\int LP(L)dL}{\int P(L)dL} = \frac{(b'/2)}{(b'/2 + 1)} \frac{[L_{max}^{b'/2+1} - L_{min}^{b'/2+1}]}{[L_{max}^{b'/2} - L_{min}^{b'/2}]}; \quad b' = (1 - b)/\beta$$

**Subadiabatic:**  $L = -\frac{p z^3}{3} + \frac{c_w z^2}{2}$  integrate numerically

$$\tau_c = CN^{1/3} \int (-pz^2 + qz)^{2/3} dz = CN^{1/3} \left[ \frac{0.6z(qz(1 - pz/q))^{2/3} {}_2F_1(-2/3, 5/3; 8/3; pz/q)}{(1 - pz/q)^{2/3}} \right]$$

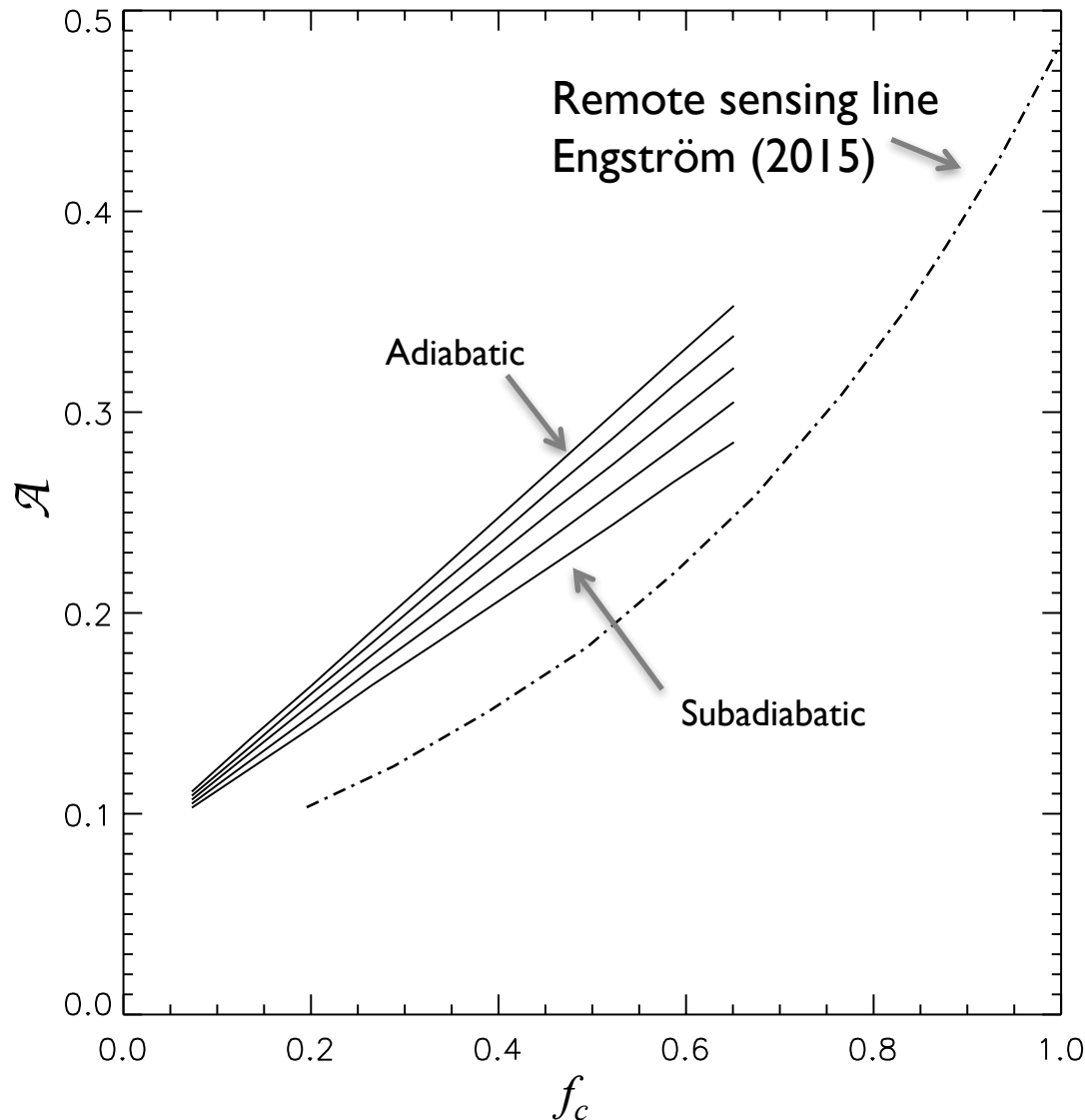
cloud optical depth

$$\mathcal{A}_c = \frac{(1 - g)\tau_c}{2 + (1 - g)\tau_c} \quad \text{cloud albedo}$$

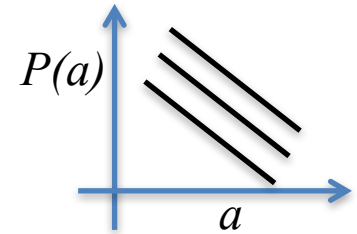
$$f_c = \frac{\int_{a_{min}}^{a_{max}} aP(a)da}{L_x L_y} = \frac{A}{(2 - b)} \frac{[a_{max}^{(2-b)} - a_{min}^{(2-b)}]}{L_x L_y} \quad \text{cloud fraction}$$

$$\mathcal{A} = f_c \mathcal{A}_c + (1 - f_c)\mathcal{A}_s \quad \text{scene albedo}$$

# Simple Cumulus Model: Sub-adiabatic Clouds

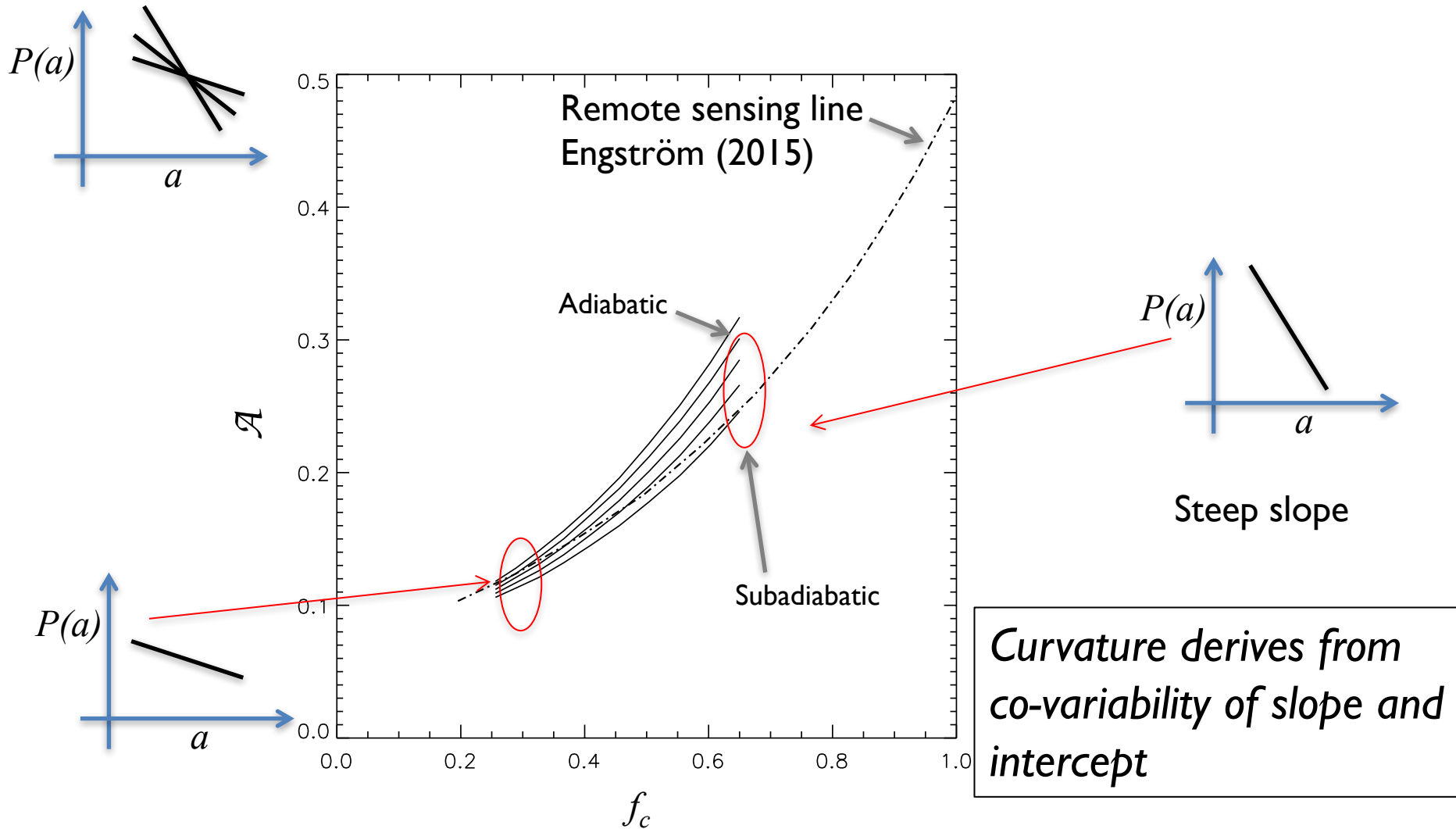


*Linear  $\mathcal{A}$  vs.  $f_c$  when intercept varies and slope is constant*



Change intercept (slope is constant)

# Simple Cumulus Model: Sub-adiabatic Clouds



*Curvature derives from co-variability of slope and intercept*

# Summary Points

- (Scene) Albedo vs. cloud fraction framework for understanding cloud field responses to perturbations
- Co-variability in meteorology and aerosol influences detectability of aerosol-cloud interactions; **LASSO**
- Link shape of rCRE, Albedo,  $f_c$  plots to:
  - Micro/macrophysical processes, scale, regime
- Simple models to understand shape of  $\mathcal{A} - f_c$  curves and its relationship to convective processes